

RPC 2020



Virtual Research Presentation Conference

Hierarchical Information-based Planning for Coverage in Large Unknown Environments

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Co-Is: Kyohei Otsu (347), Amanda Bouman (347), Aliakbar Aghamohammadi (347)

Program: Spontaneous Concept

Assigned Presentation #: RPC-126



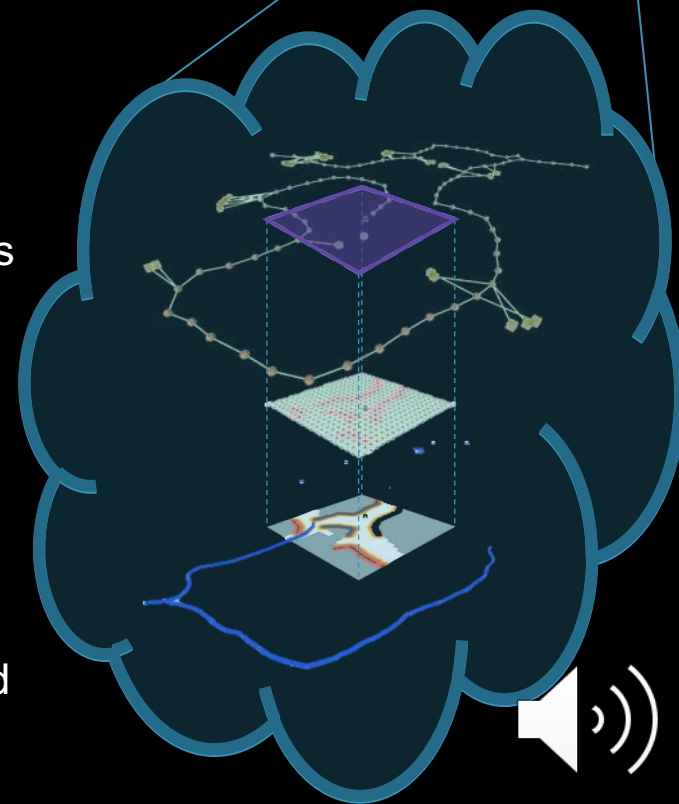
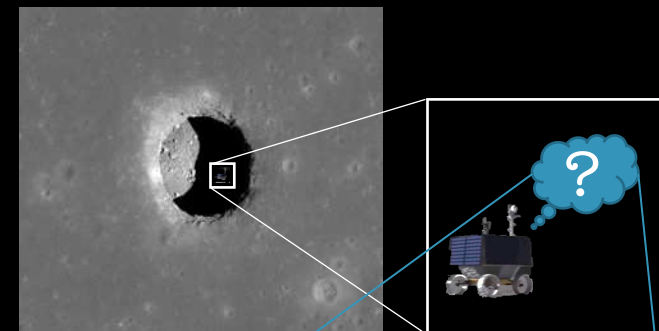
Jet Propulsion Laboratory
California Institute of Technology



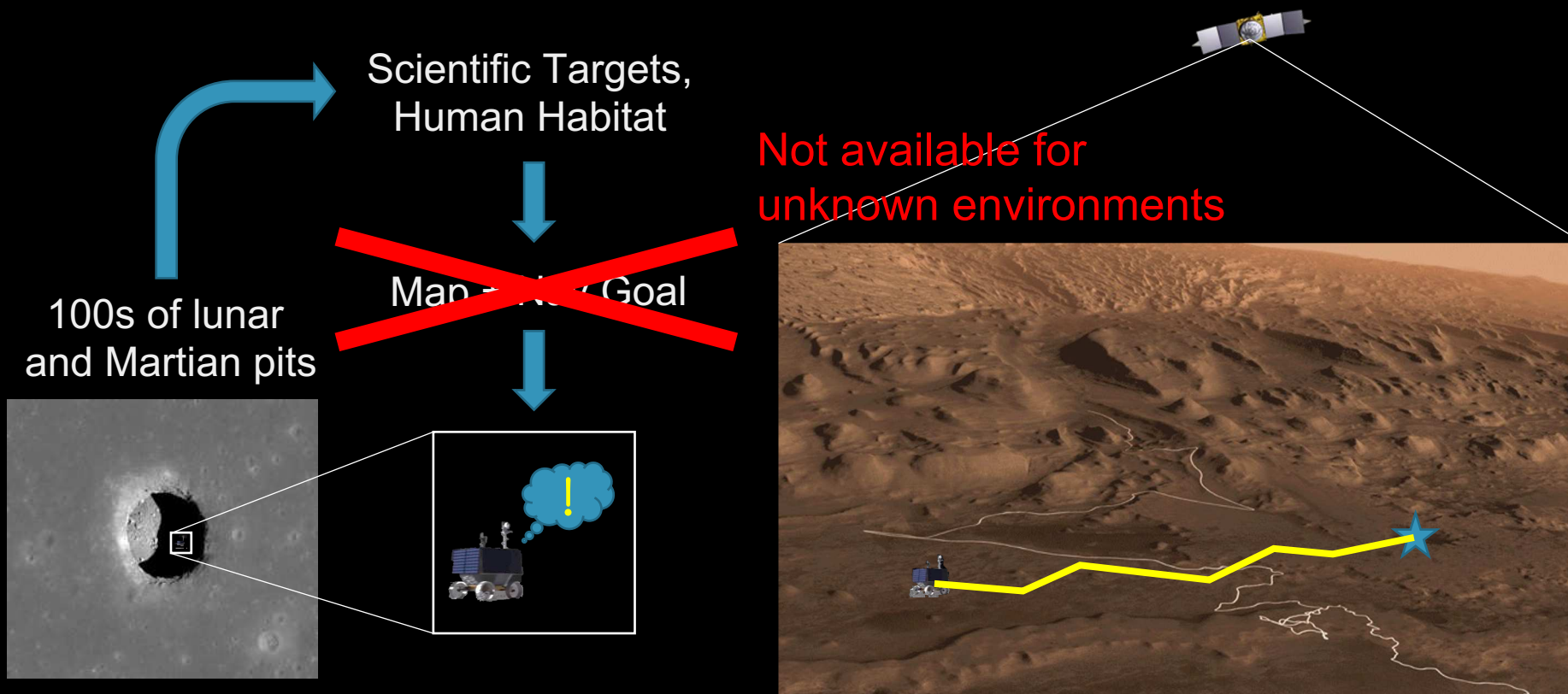
Tutorial Introduction

Abstract

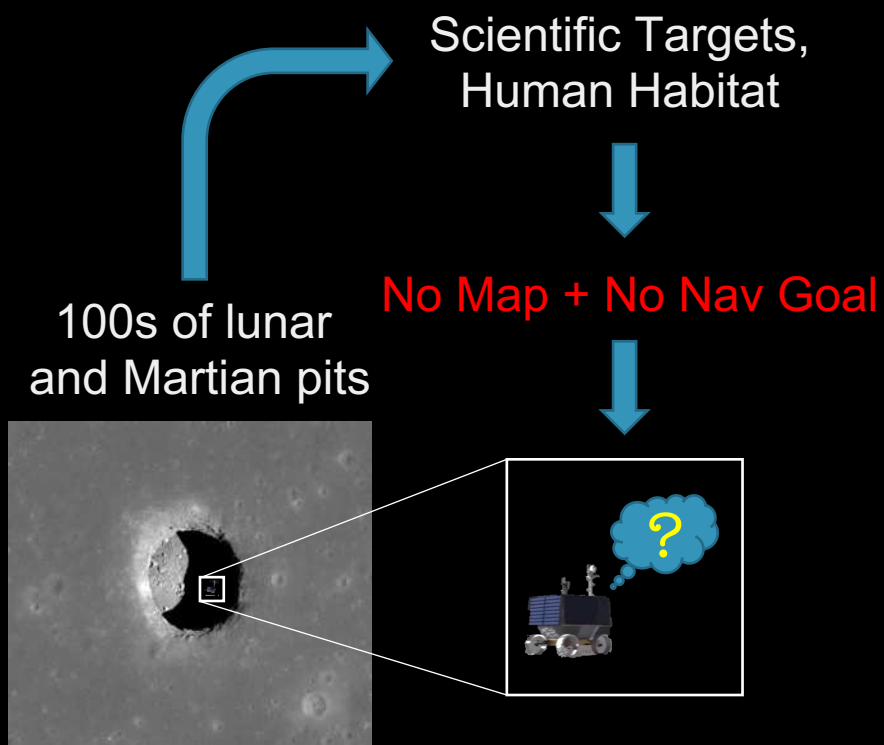
In this project, we tackle the coverage planning optimization problem for large unknown environments. In **large** planetary surface/subsurface with **no/little map** information, autonomous exploration for **coverage**, i.e., mapping of the environment and detection of targets of interest, is one of the key technologies for NASA's future missions. For example, Lunar Surface Innovation Initiative (LSII) seeks extreme access capability for efficient exploration in **permanently shaded surfaces** or **unknown subsurface voids** at a large scale. Such autonomous exploration capability enables detection of scientific investigation targets and/or human habitat areas, without human operators in the loop. The challenge, however, is that the optimization of coverage planning for unknown environments is hard to scale up—its **complexity grows exponentially** as the environment size gets larger. Thus, the state-of-the-art coverage planners solve for myopic, suboptimal solutions for the local area around the robot. In this work, we developed an **efficient information-based coverage** planner for large unknown environments. The two key ideas are 1) to represent the probabilistic robot and world state as a **compact graph representation** with embedded semantics, and 2) to employ **hierarchical planning-under-uncertainty framework** to pursue local optimality and global completeness at the same time.



Problem Description

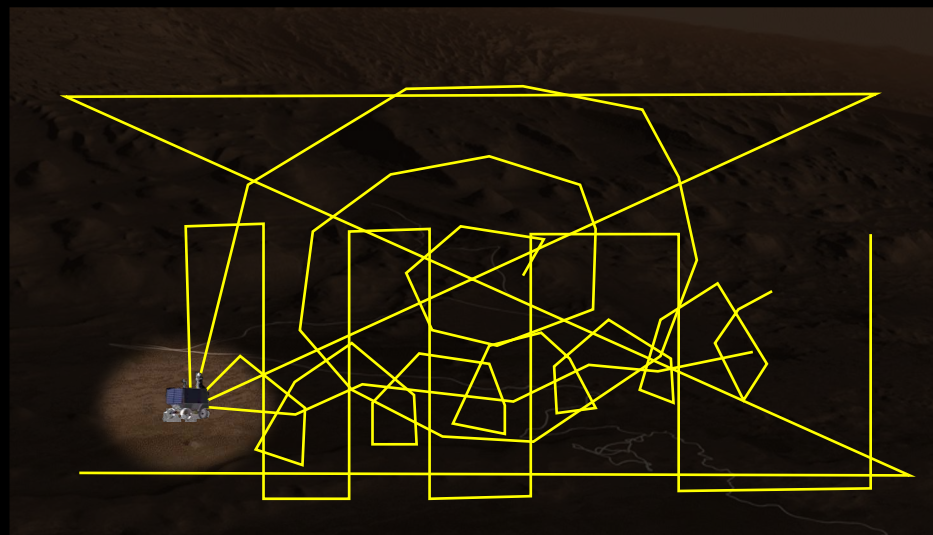


Problem Description



State-of-the-art Coverage Planners

- Next-Best-View: Myopic, suboptimal solution
- Belief Space Planner: Not scalable to large problems



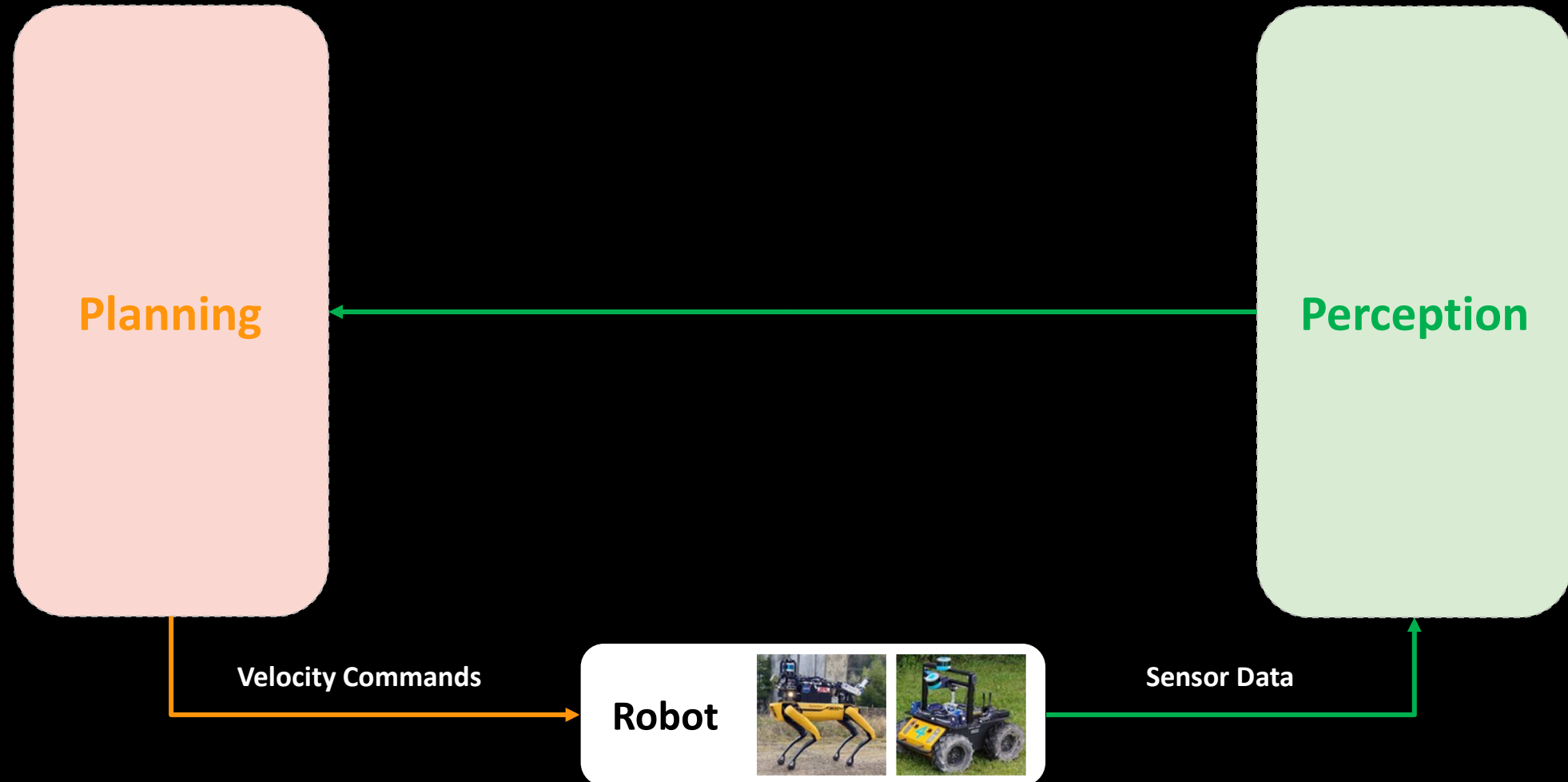
Computationally intractable to solve for exact solutions!

Auto-Exploration

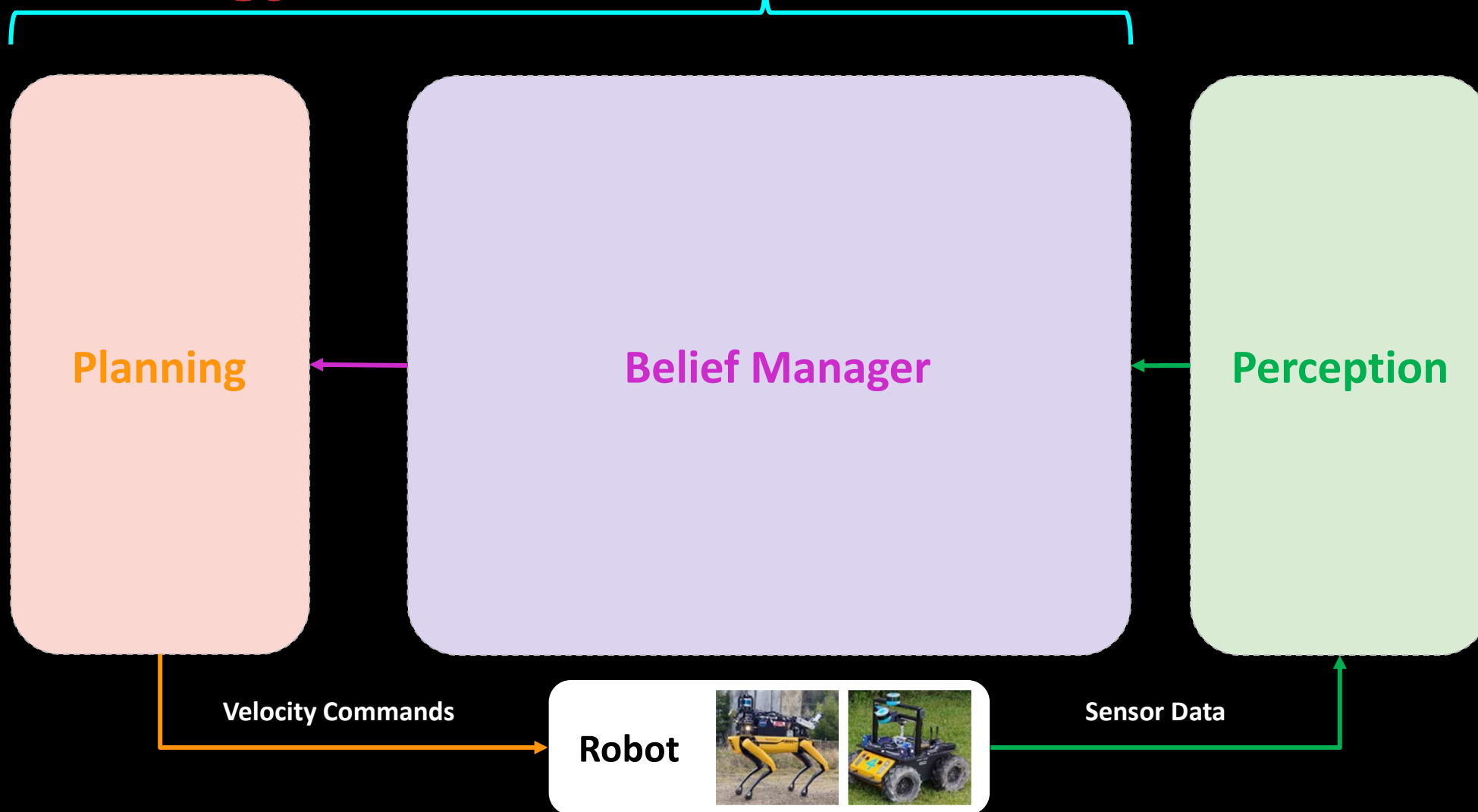
- 1) Build the map &
- 2) Find targets of interest
- 3) Given limited time/resources



Methodology

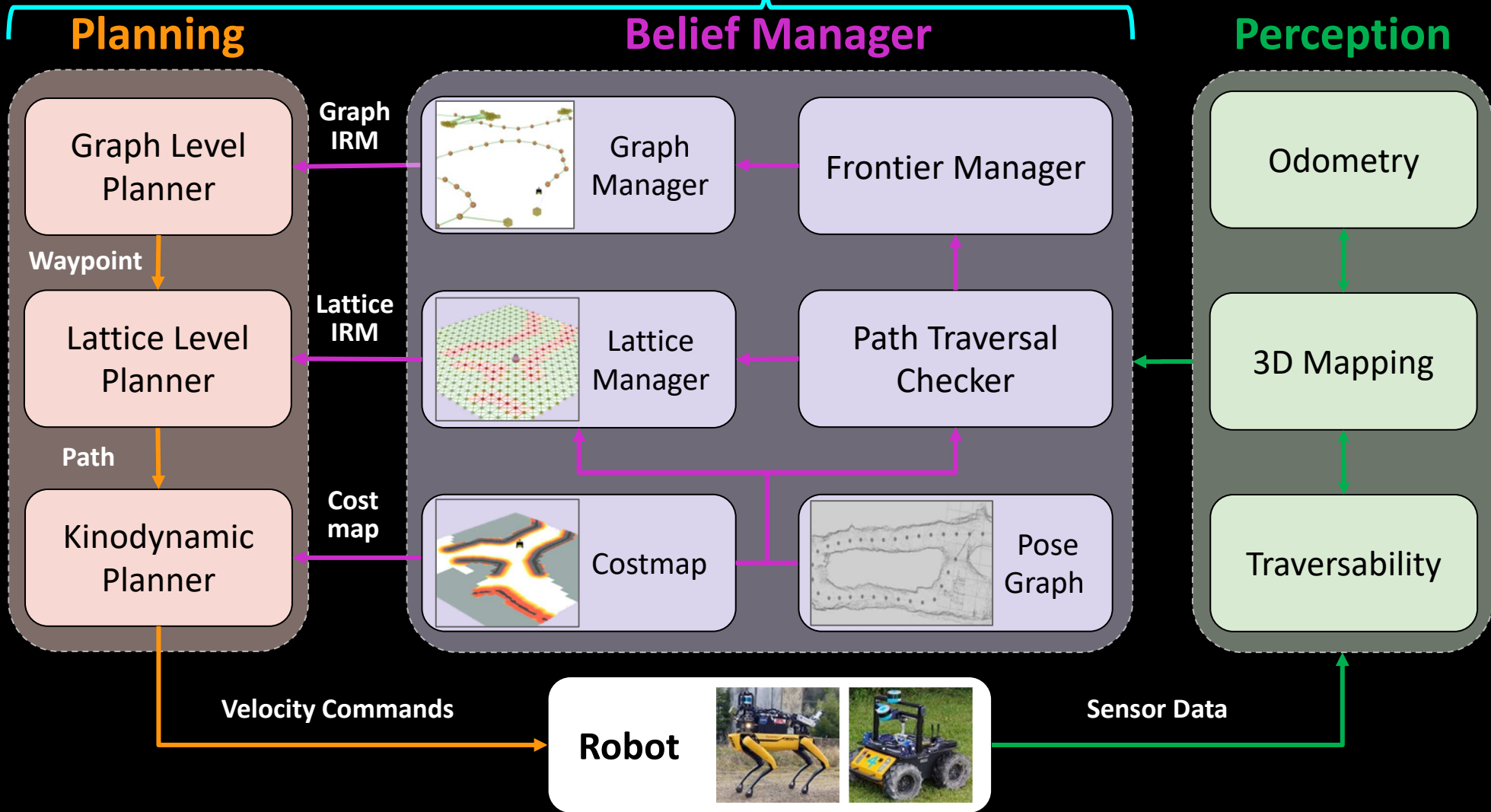


Methodology Long-horizon Belief Space Planner

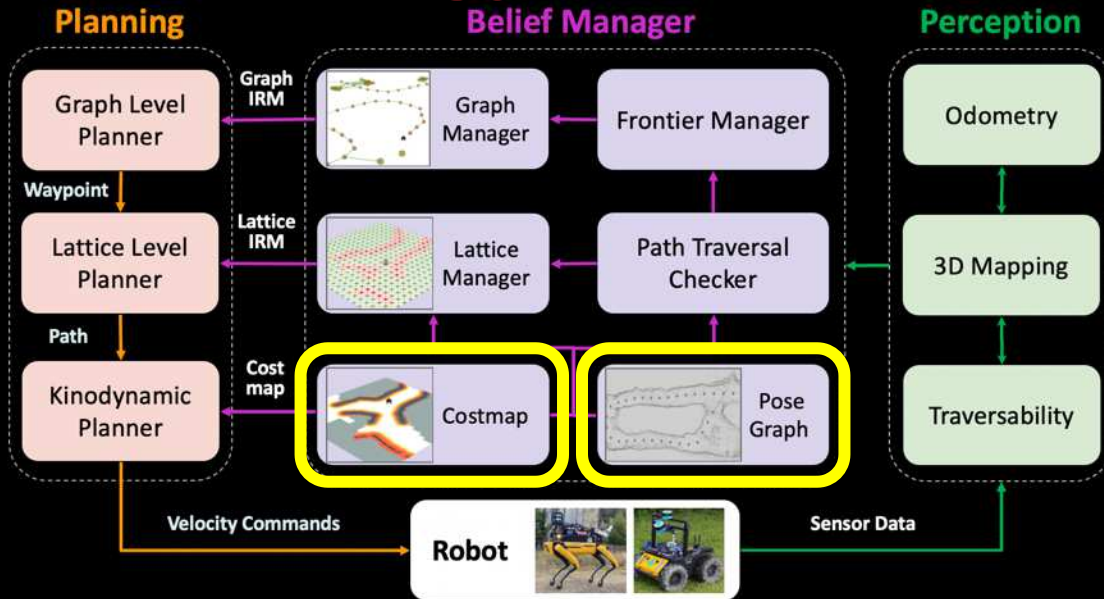


Methodology Long-horizon Belief Space Planner

Hierarchical Framework



Methodology



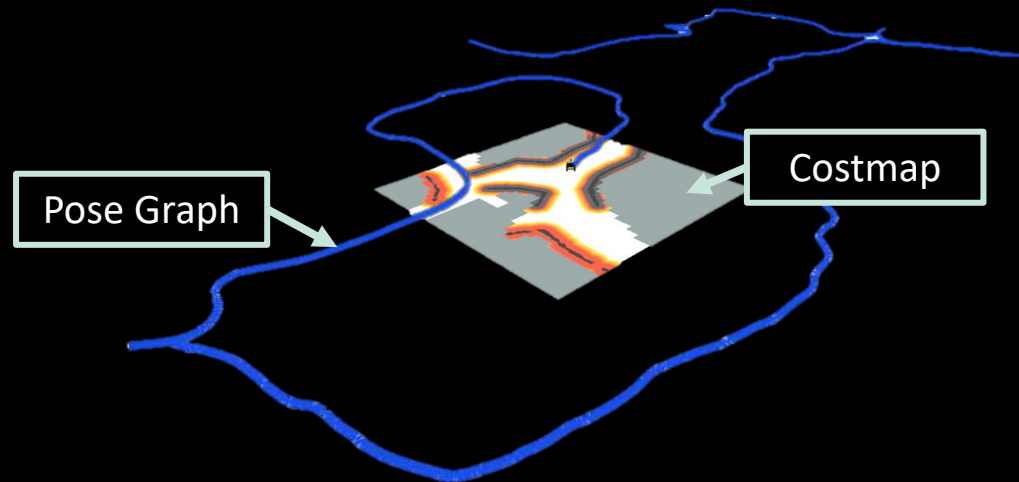
Belief State:

$$b = p(s) = p(W, Q)$$

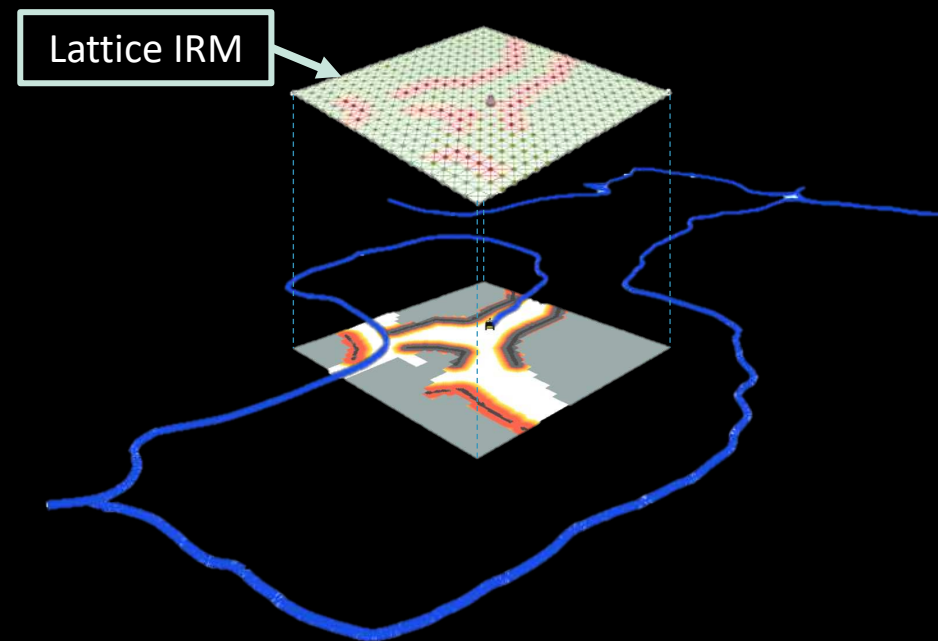
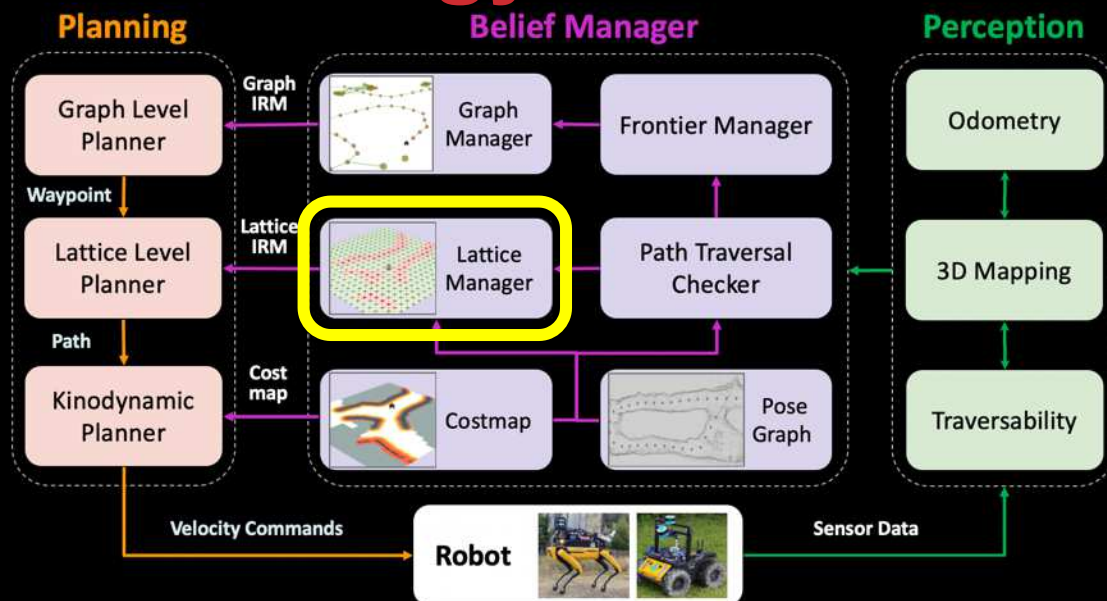
World State

$$W = \begin{pmatrix} W_{occ} & W_{cov} \end{pmatrix}$$

Robot Pose



Methodology

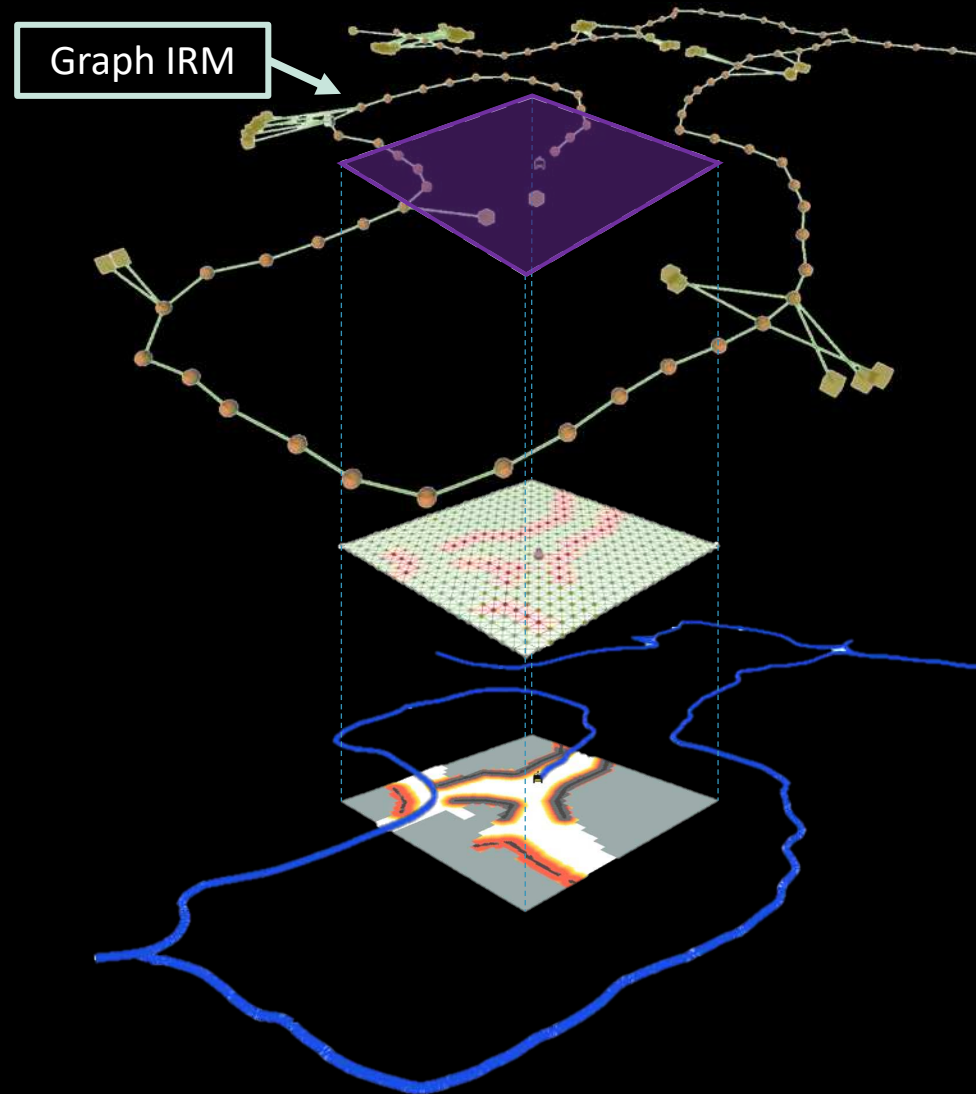
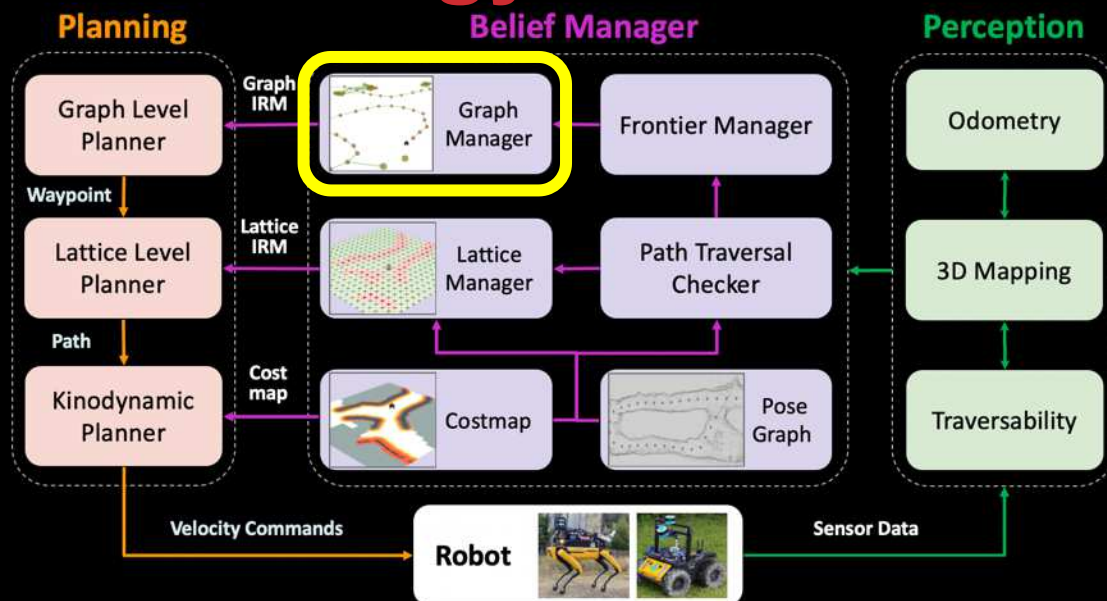


Local Belief State:

$$b^{\ell} = p(s^{\ell}) = p(W^{\ell}, Q^{\ell})$$



Methodology



Global Belief State:

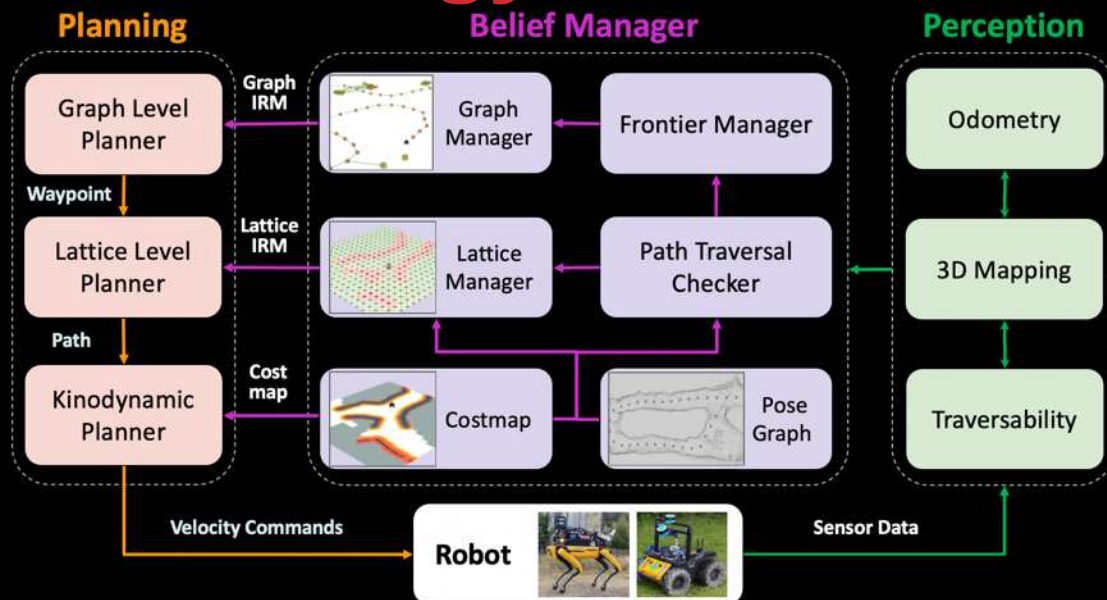
$$b^g = p(s^g) = p(W^g, Q^g)$$

Local Belief State:

$$b^l = p(s^l) = p(W^l, Q^l)$$



Methodology

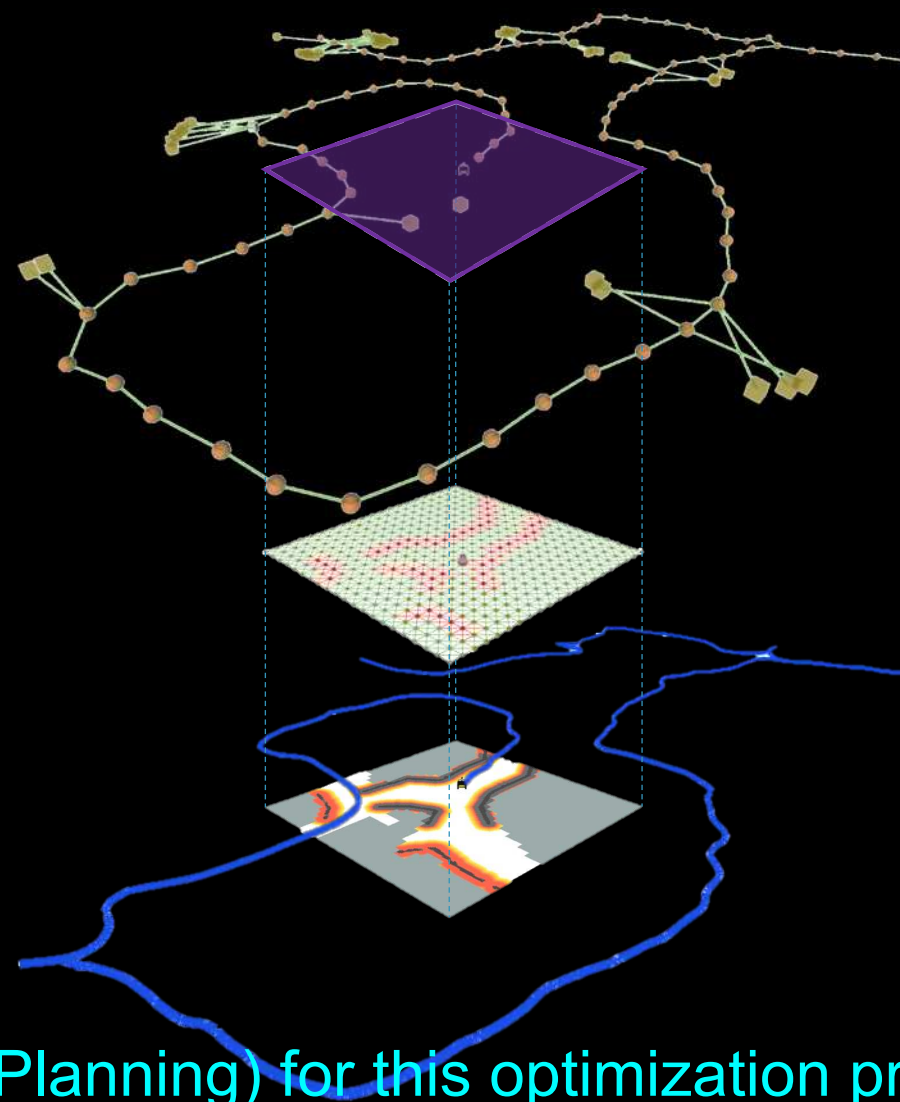


Reward Function:

$$R(s, a) = f(\underbrace{IG(W_{cov}, z)}_{\text{Information Gain}}, \underbrace{C(W_{occ}, a)}_{\text{Action Cost}})$$

Information Gain

Action Cost

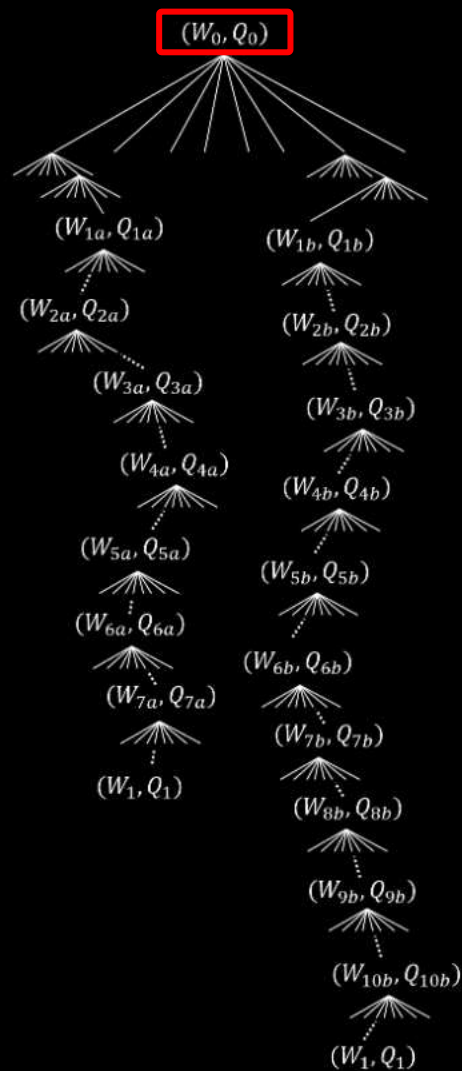
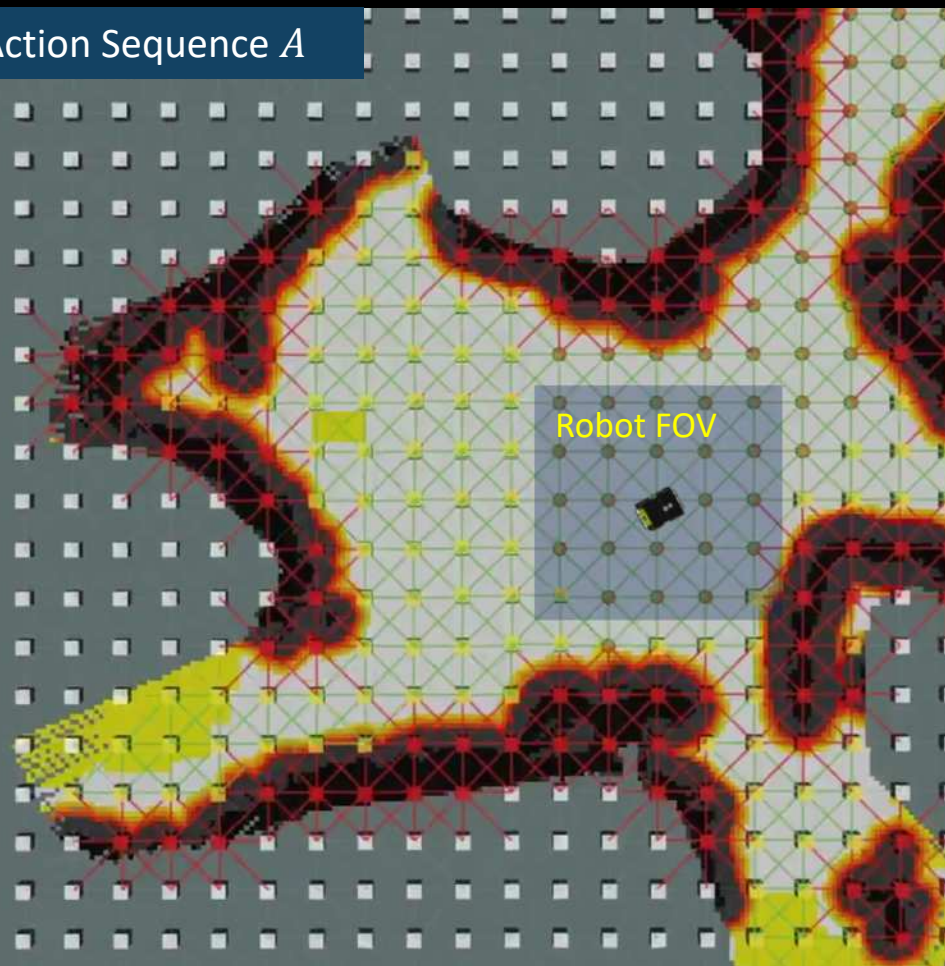


→ **POMCP** (Partially Observable Monte Carlo Planning) for this optimization problem!

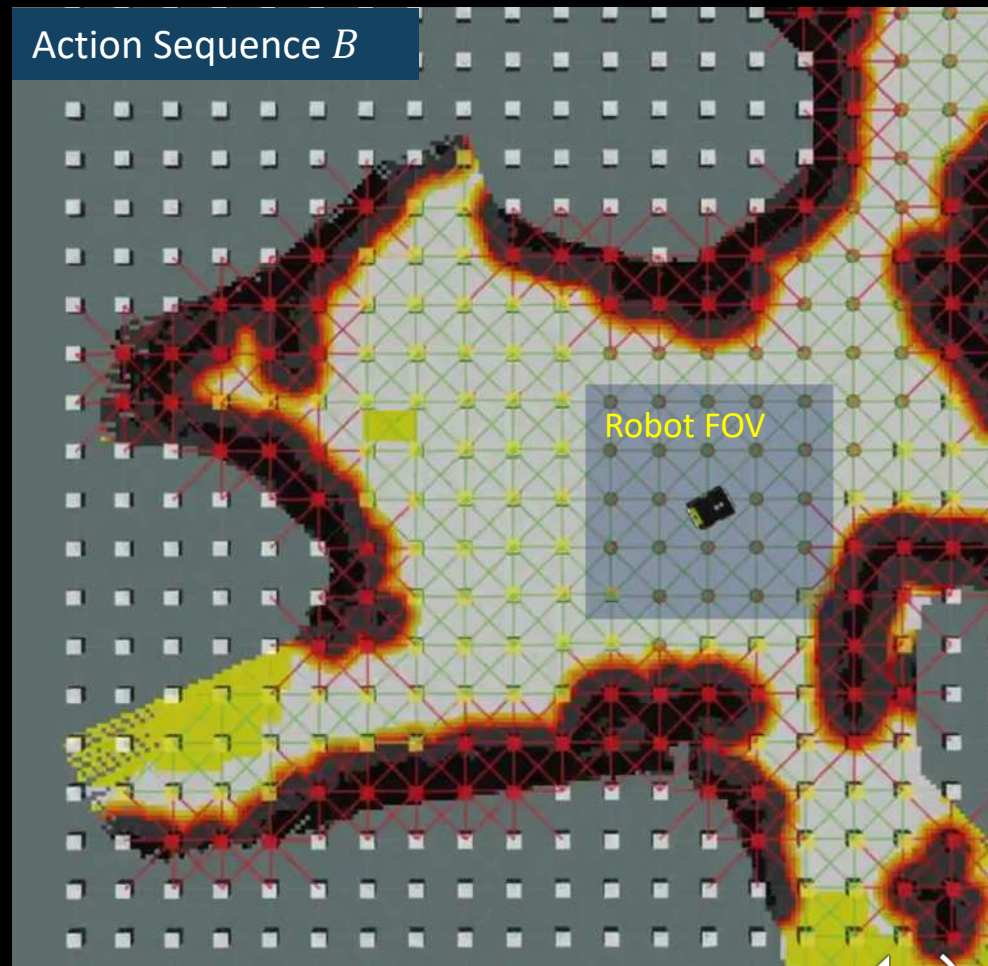


Methodology

Action Sequence A

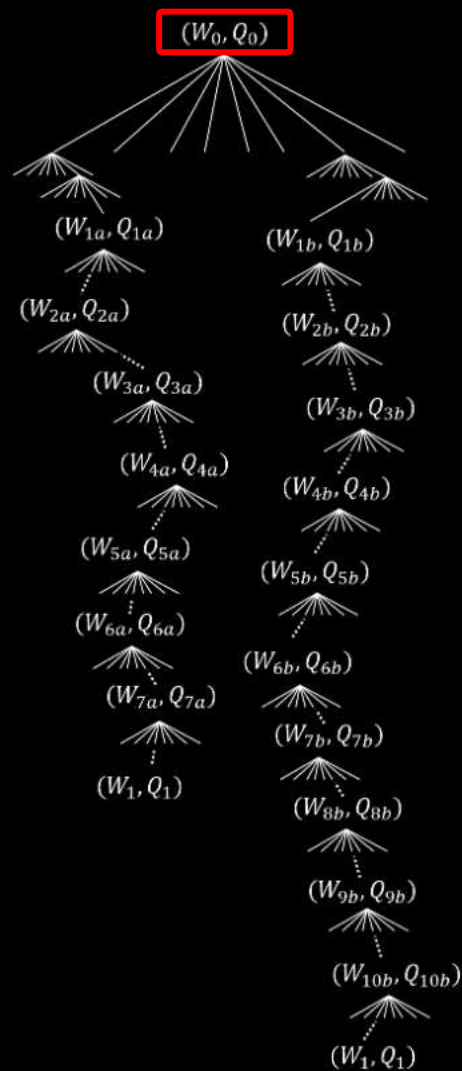
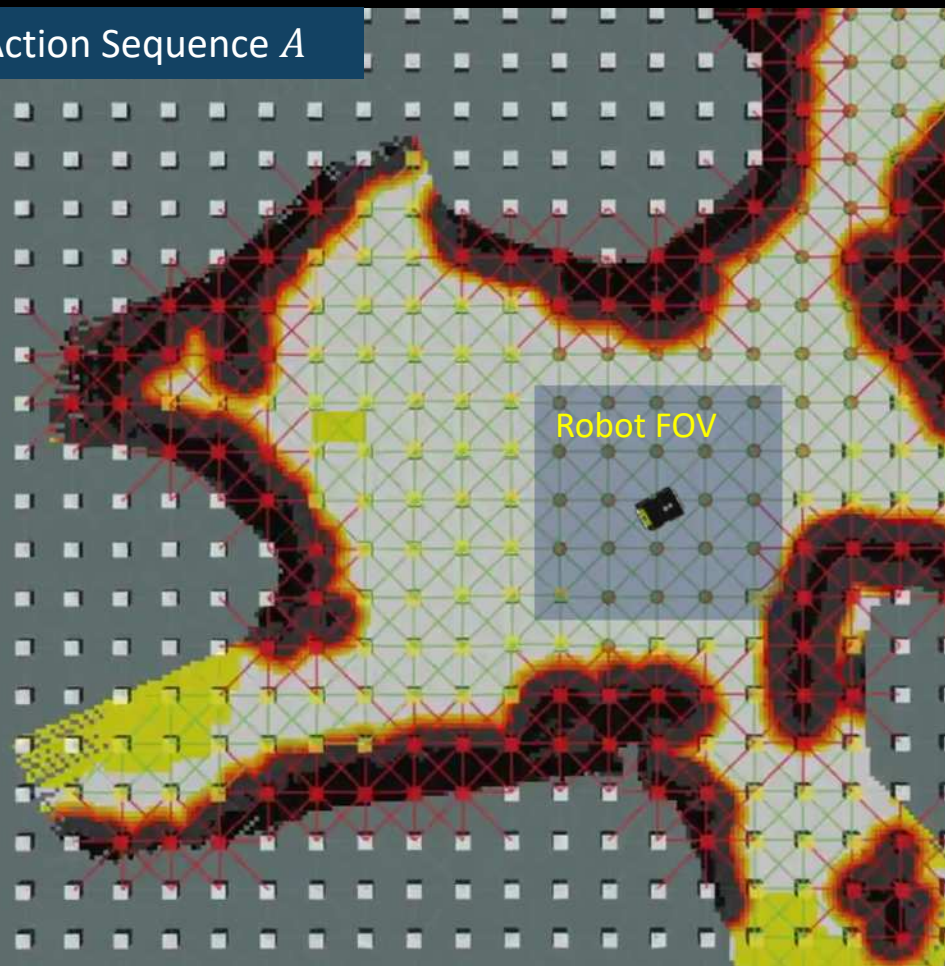


Action Sequence B

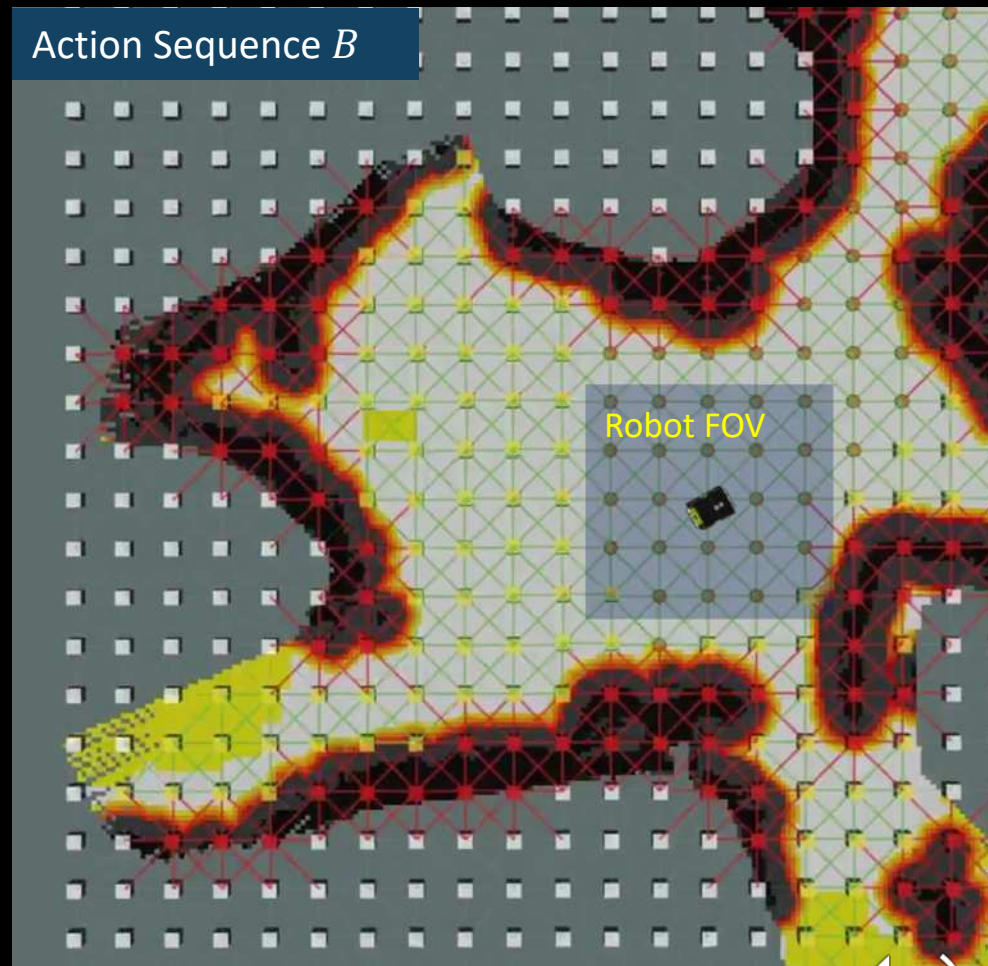


Methodology

Action Sequence A

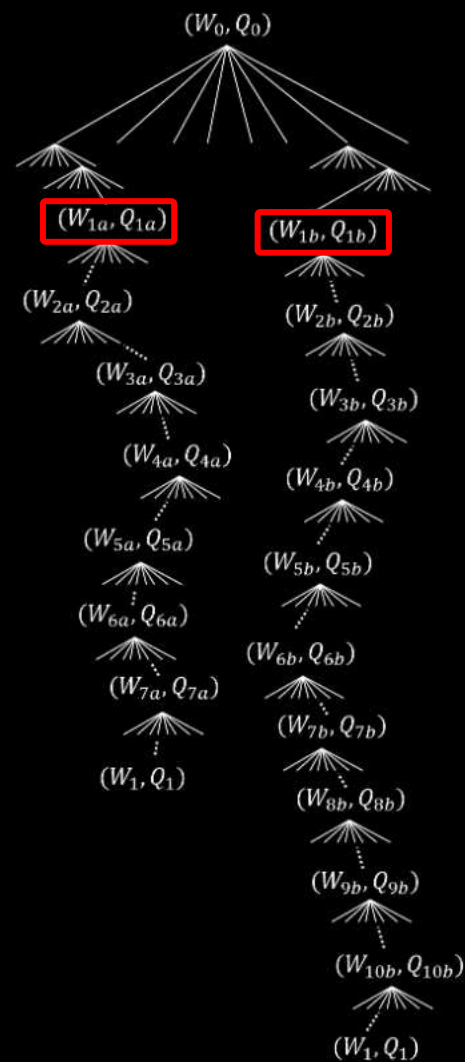
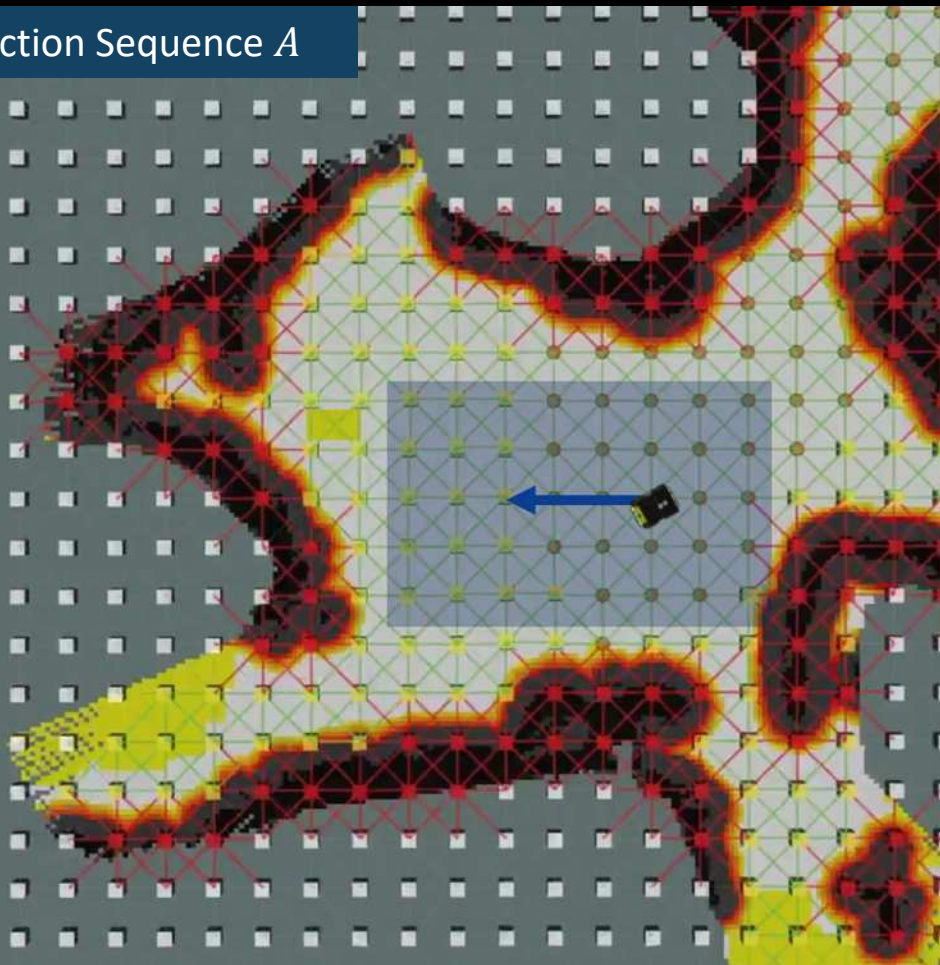


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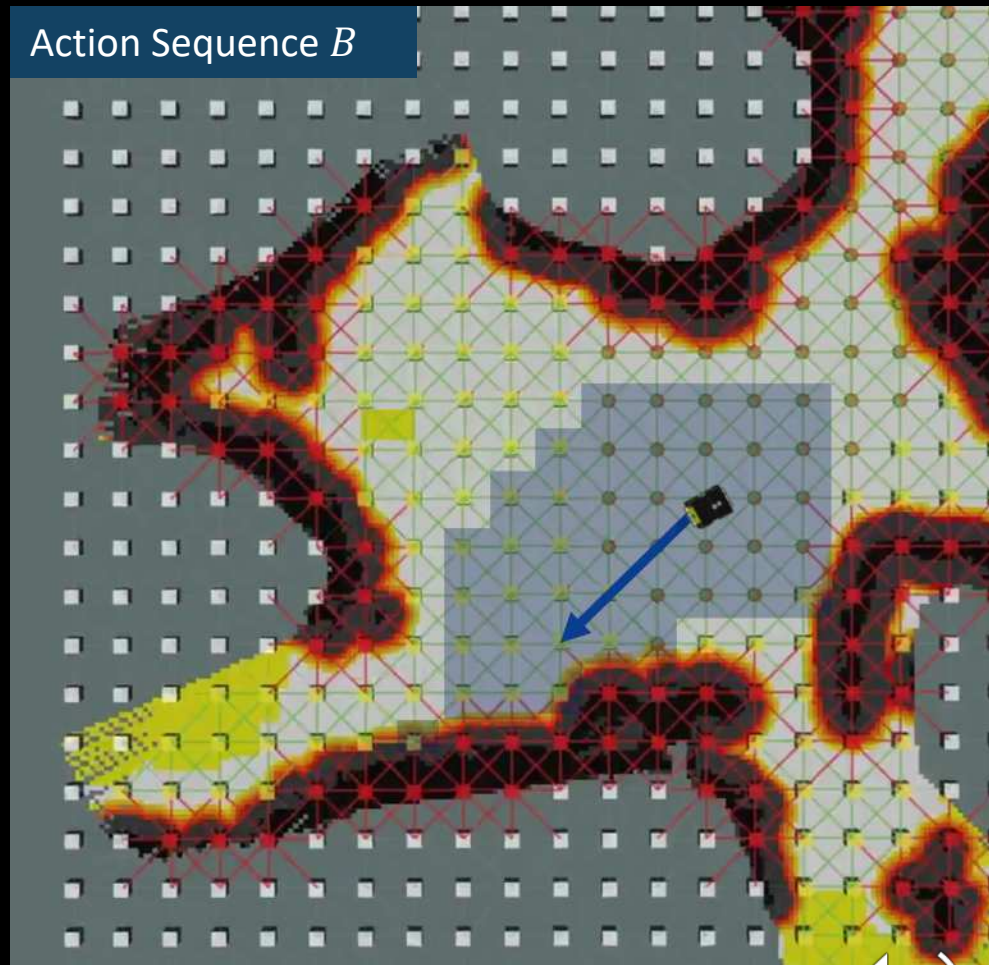


Methodology

Action Sequence A

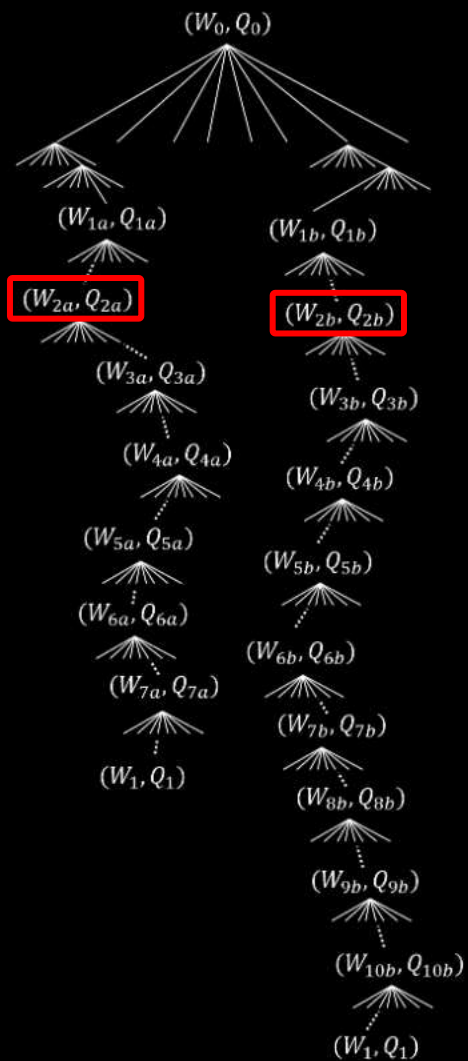
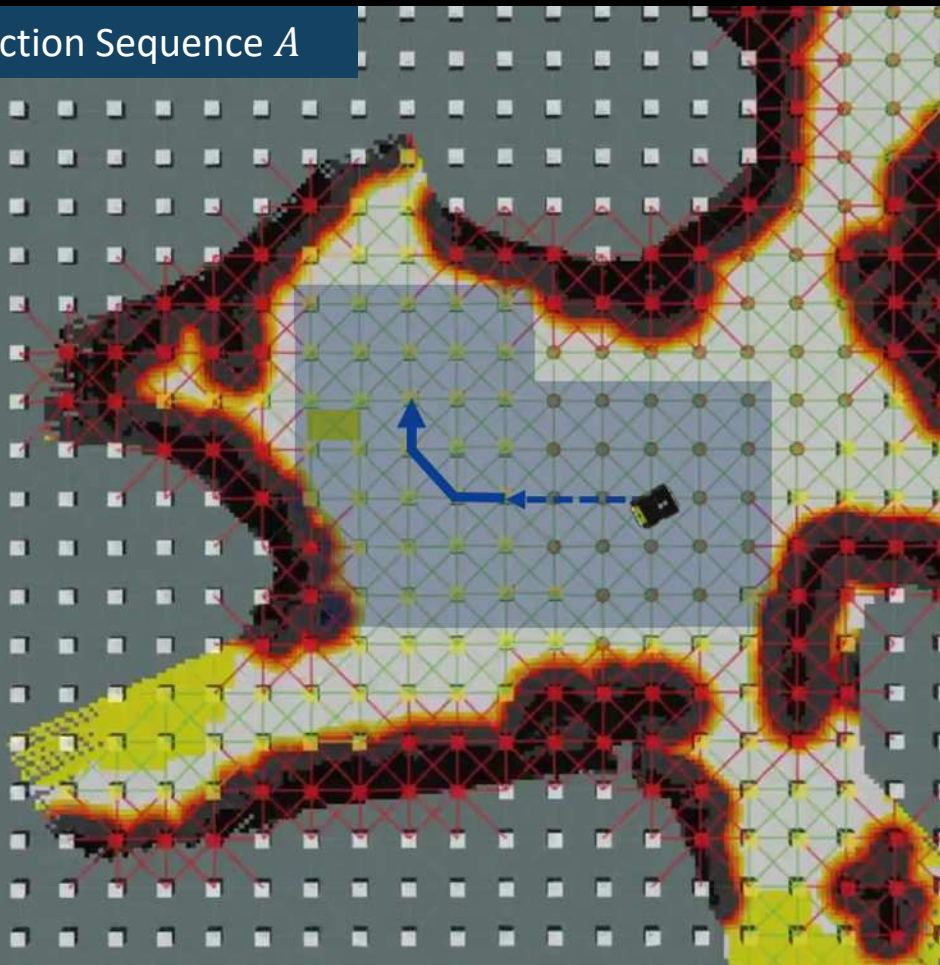


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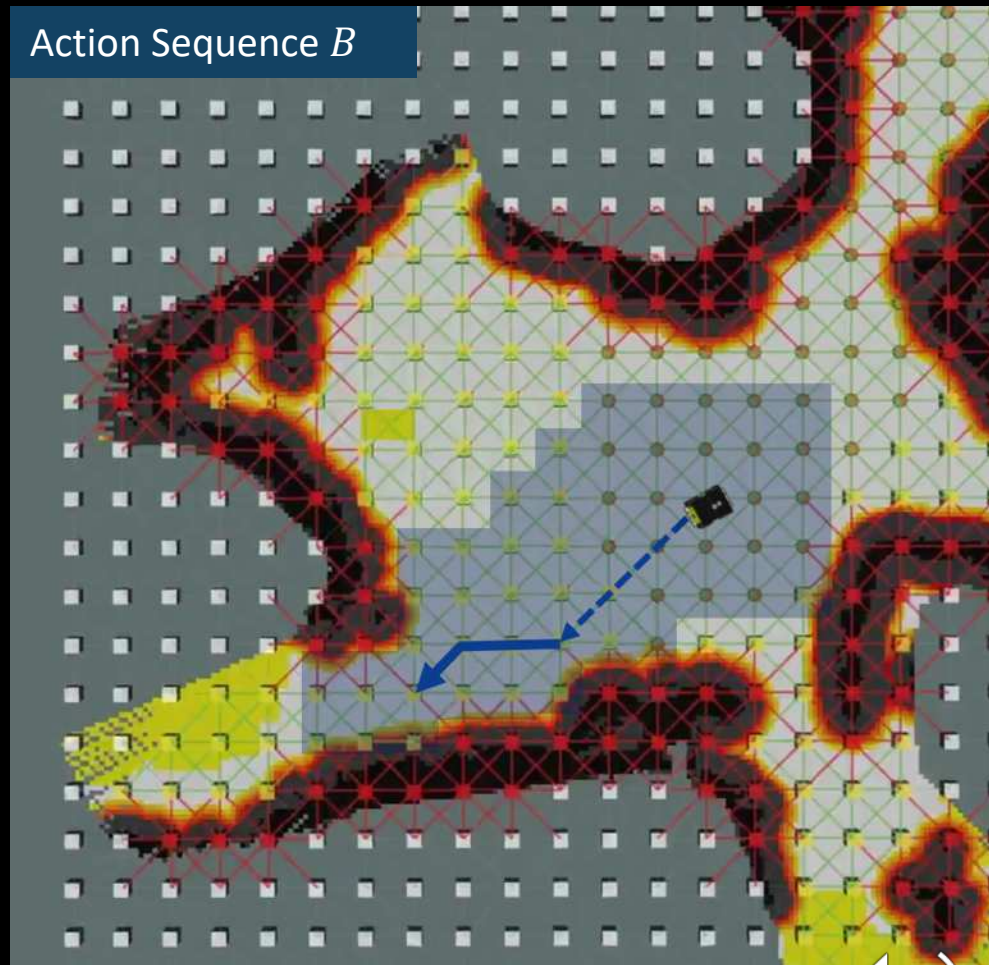


Methodology

Action Sequence A

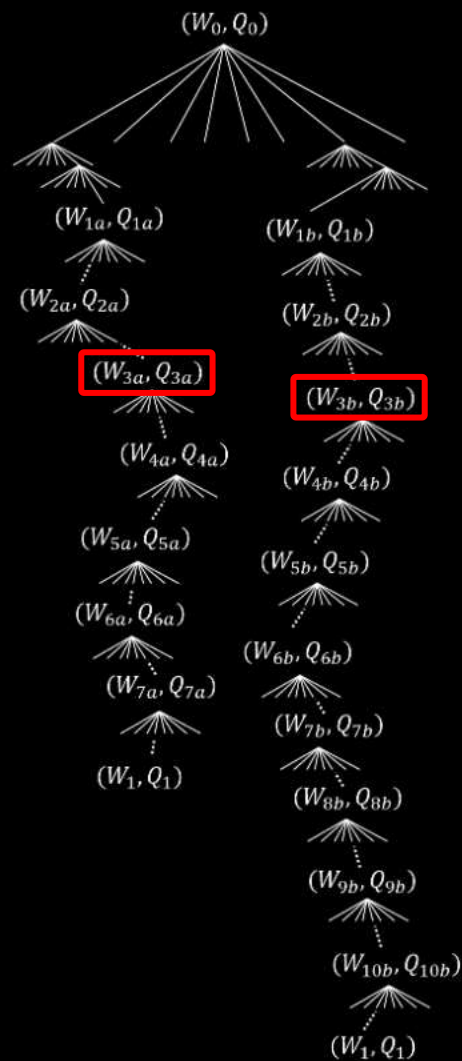
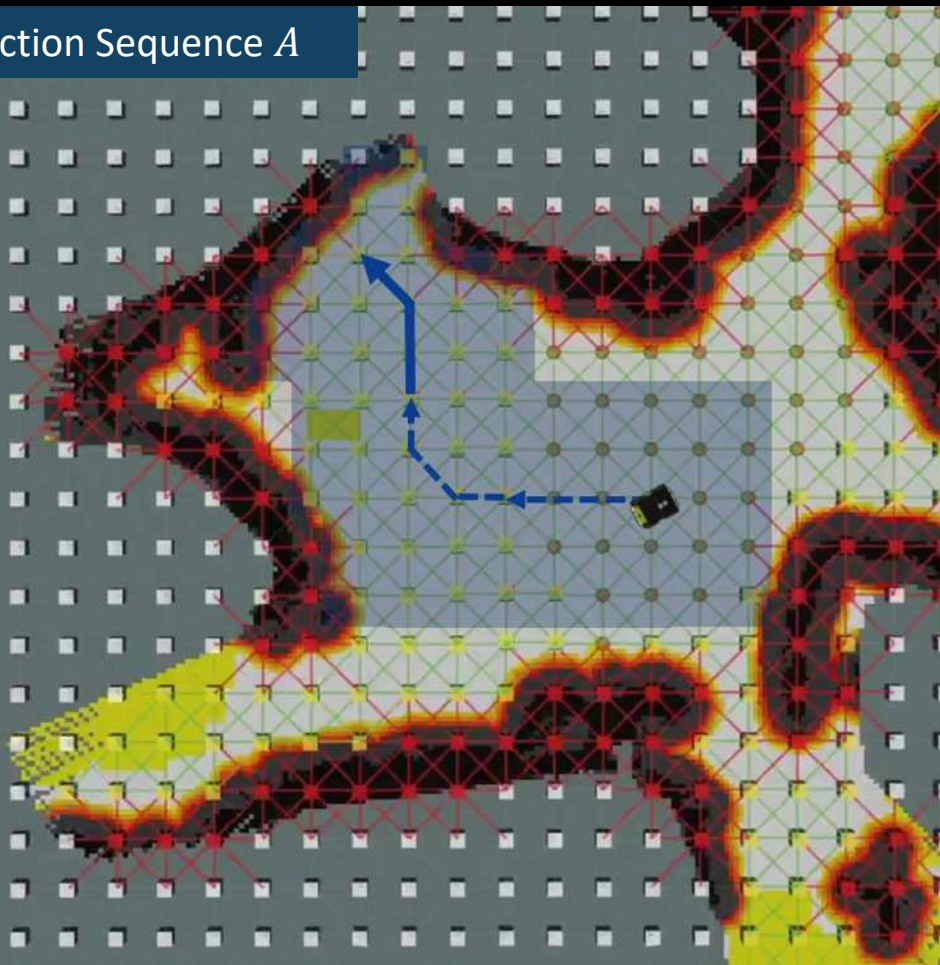


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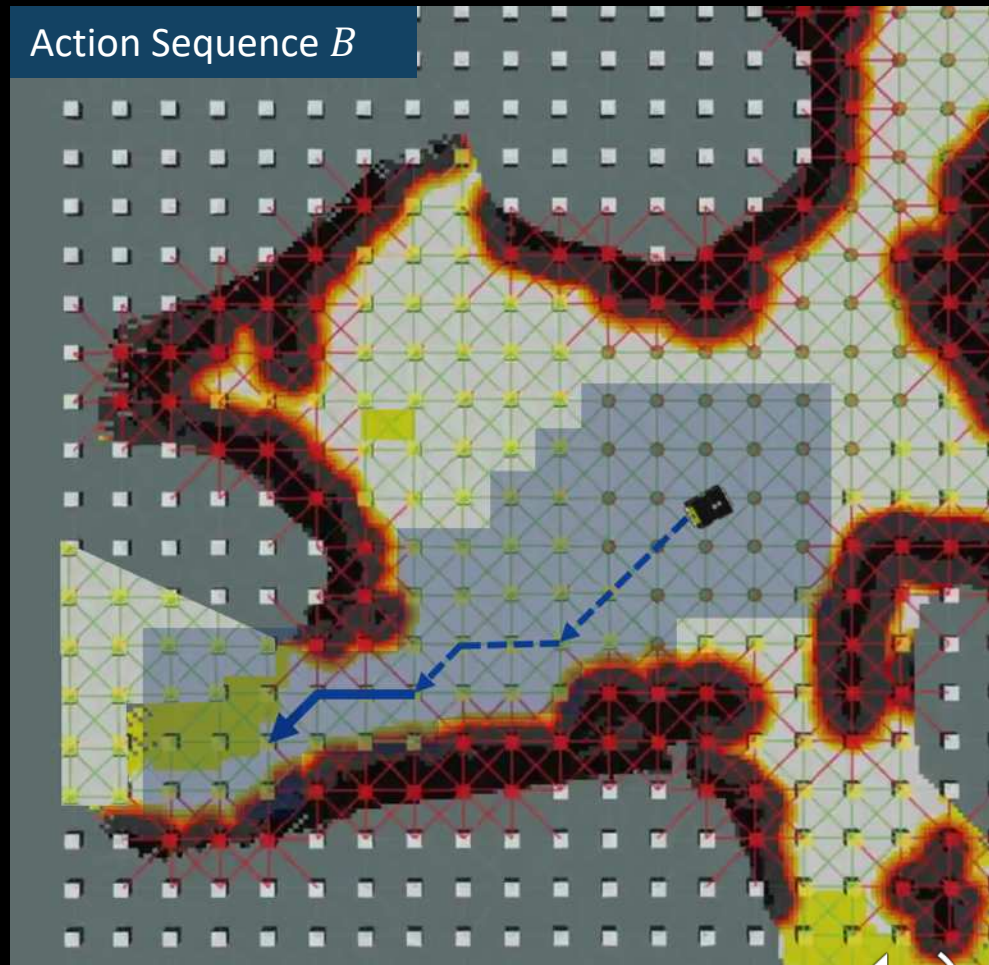


Methodology

Action Sequence A

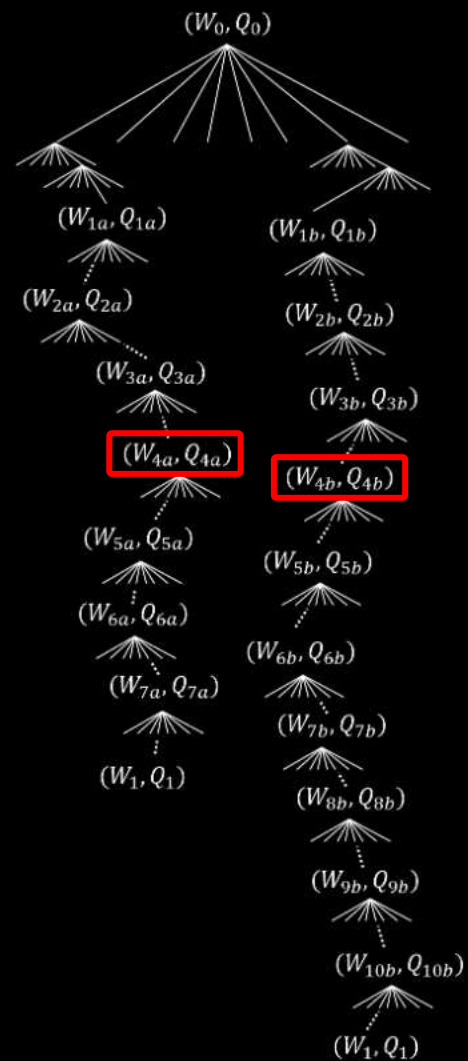
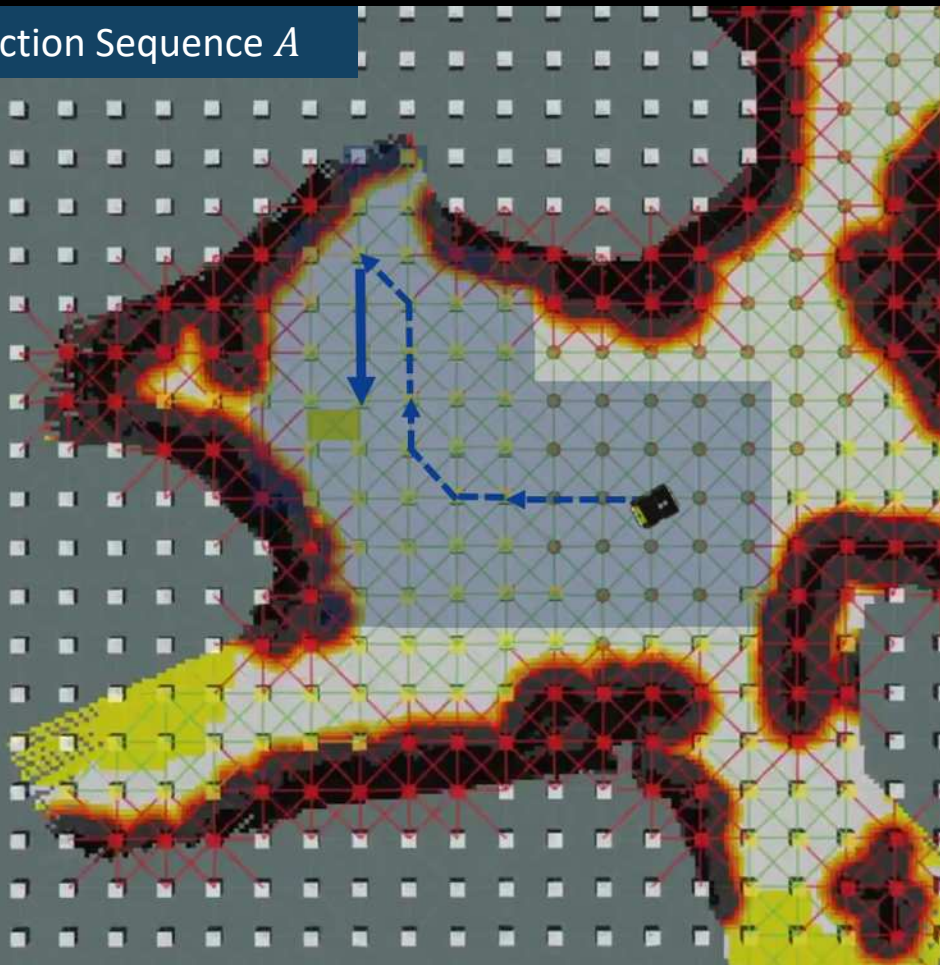


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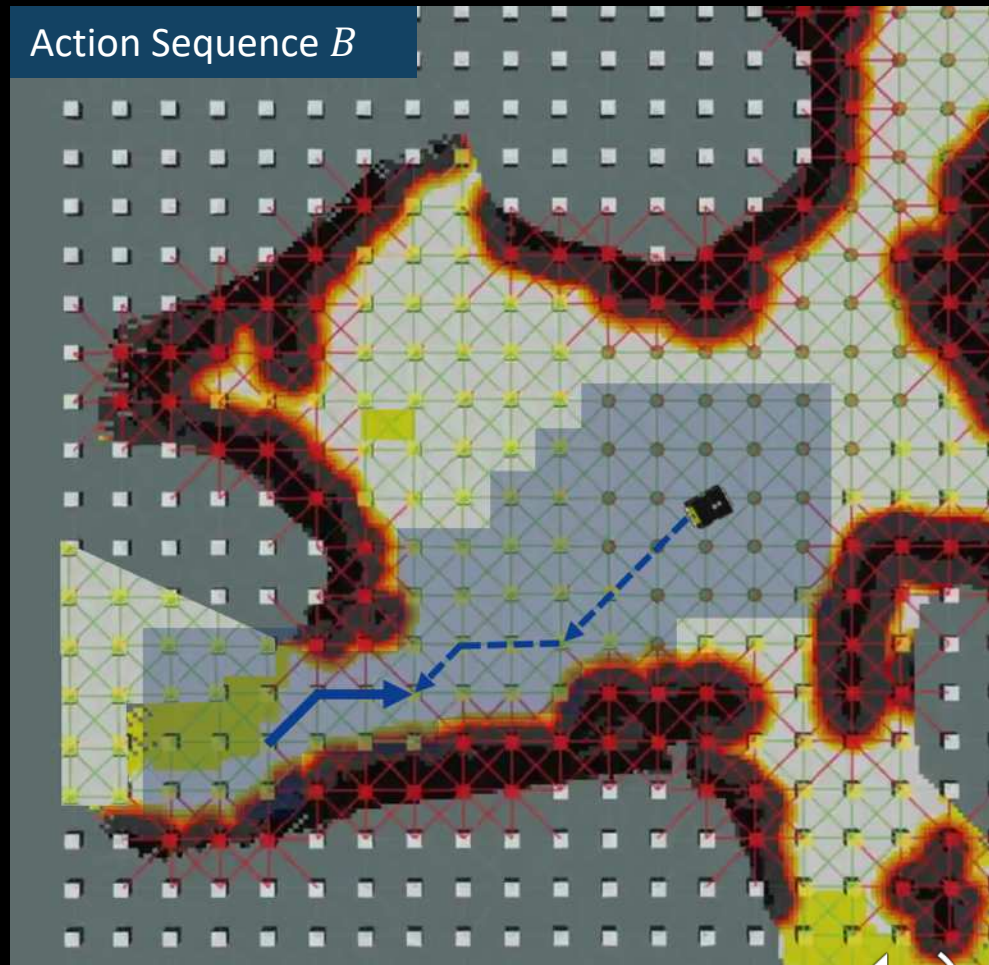


Methodology

Action Sequence A

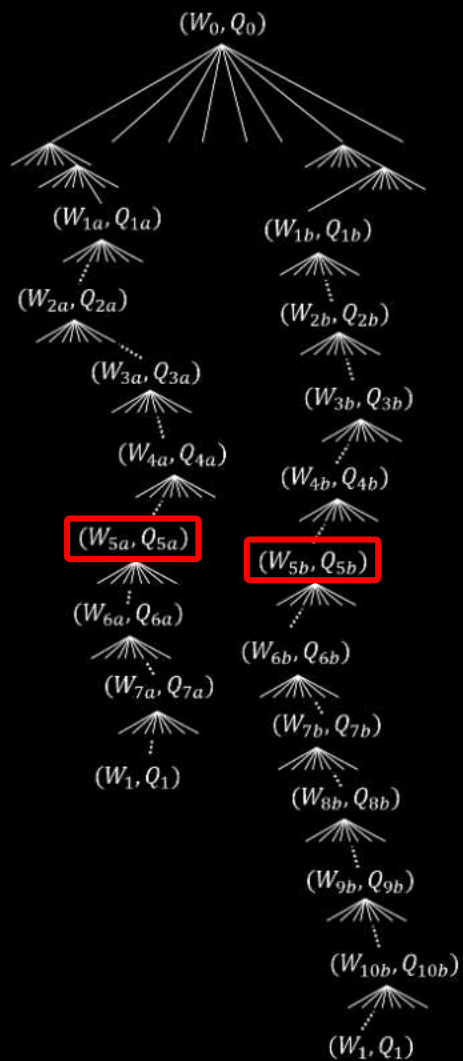
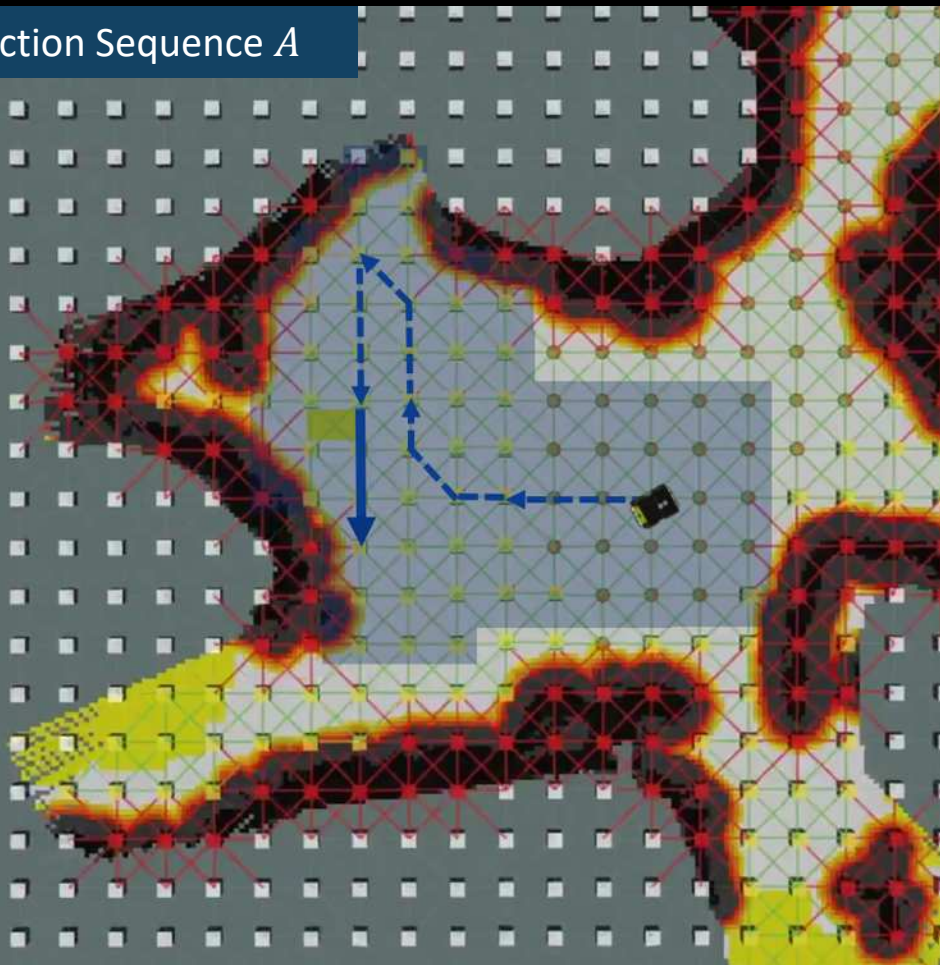


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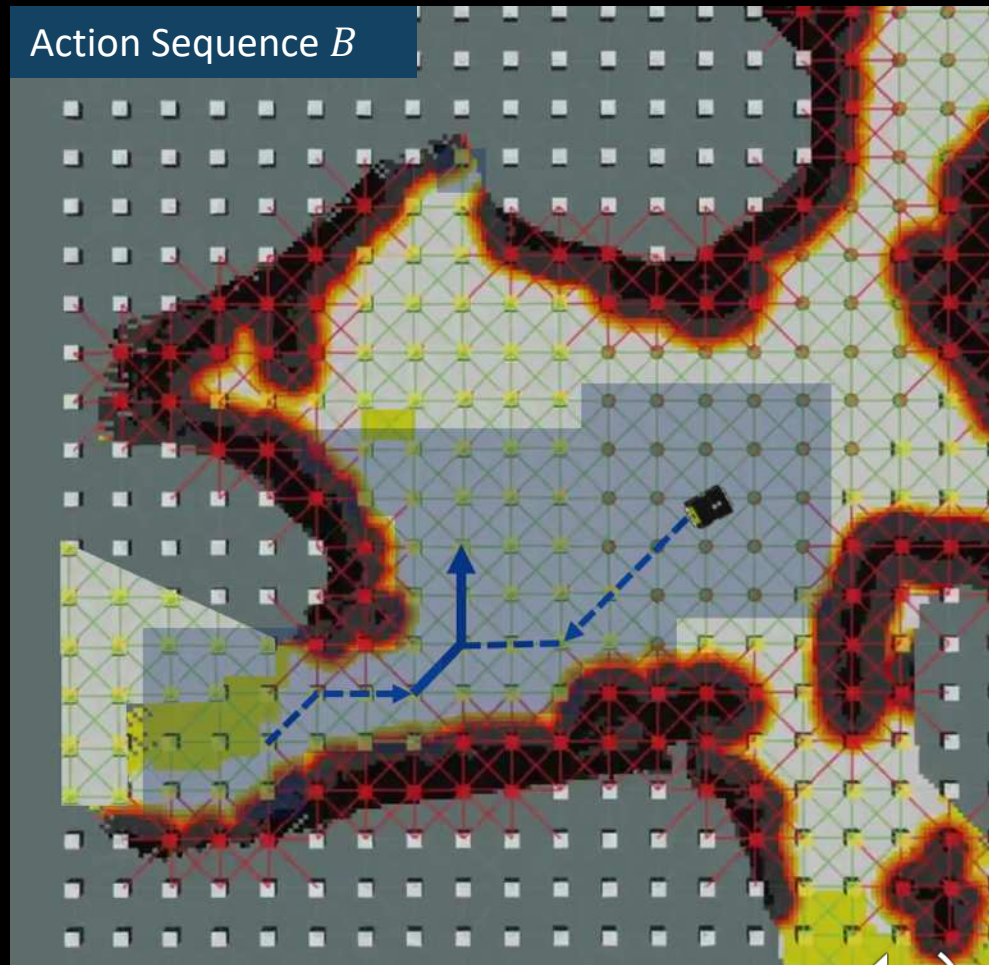


Methodology

Action Sequence A

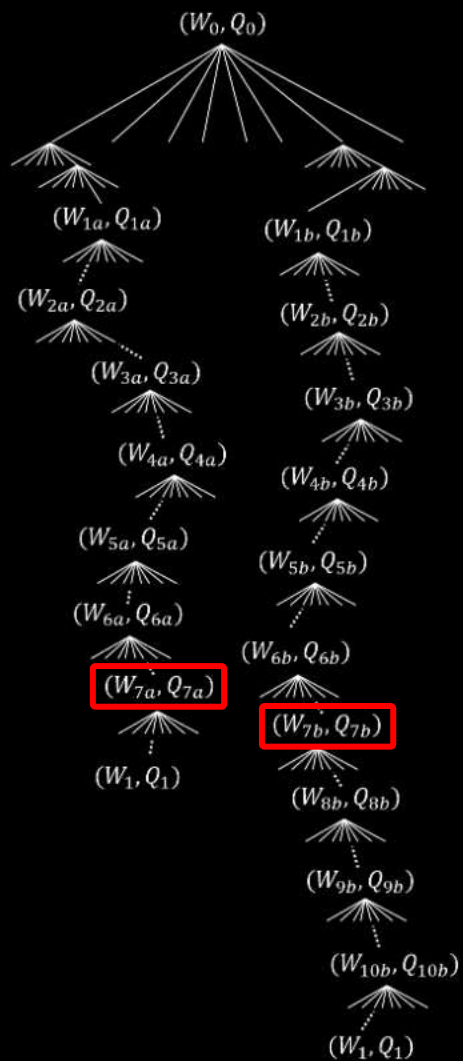
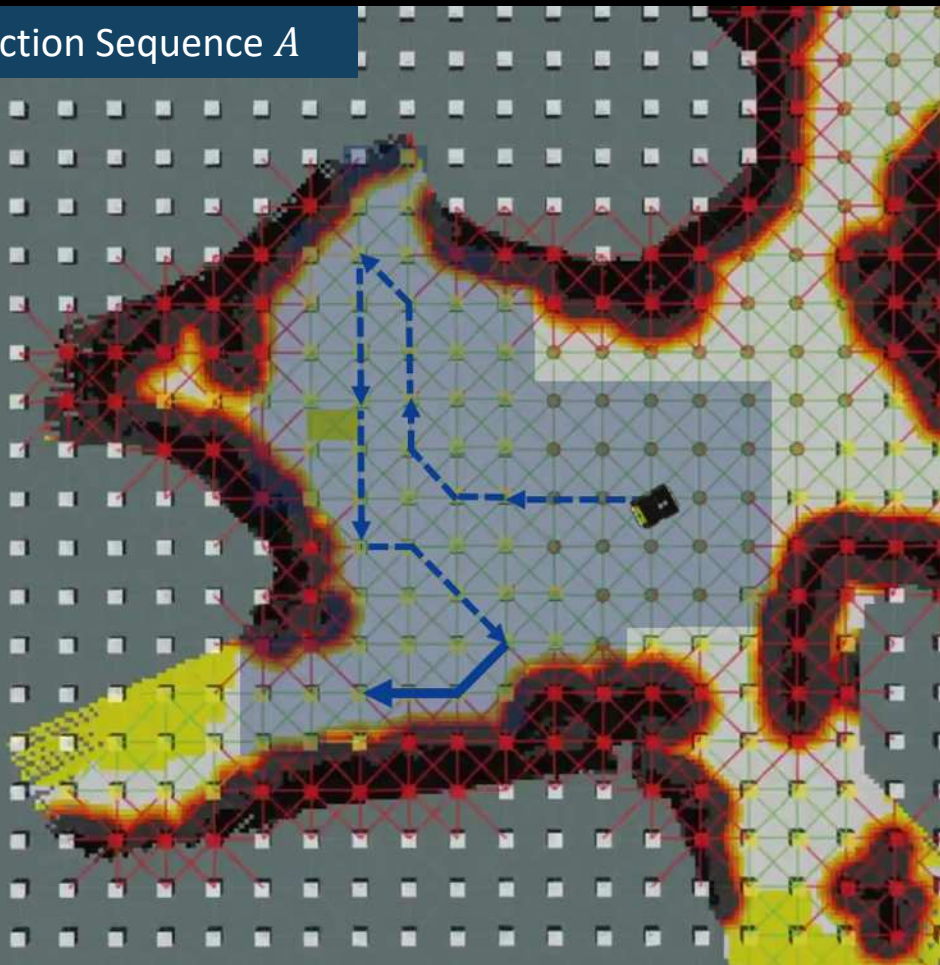


Action Sequence B

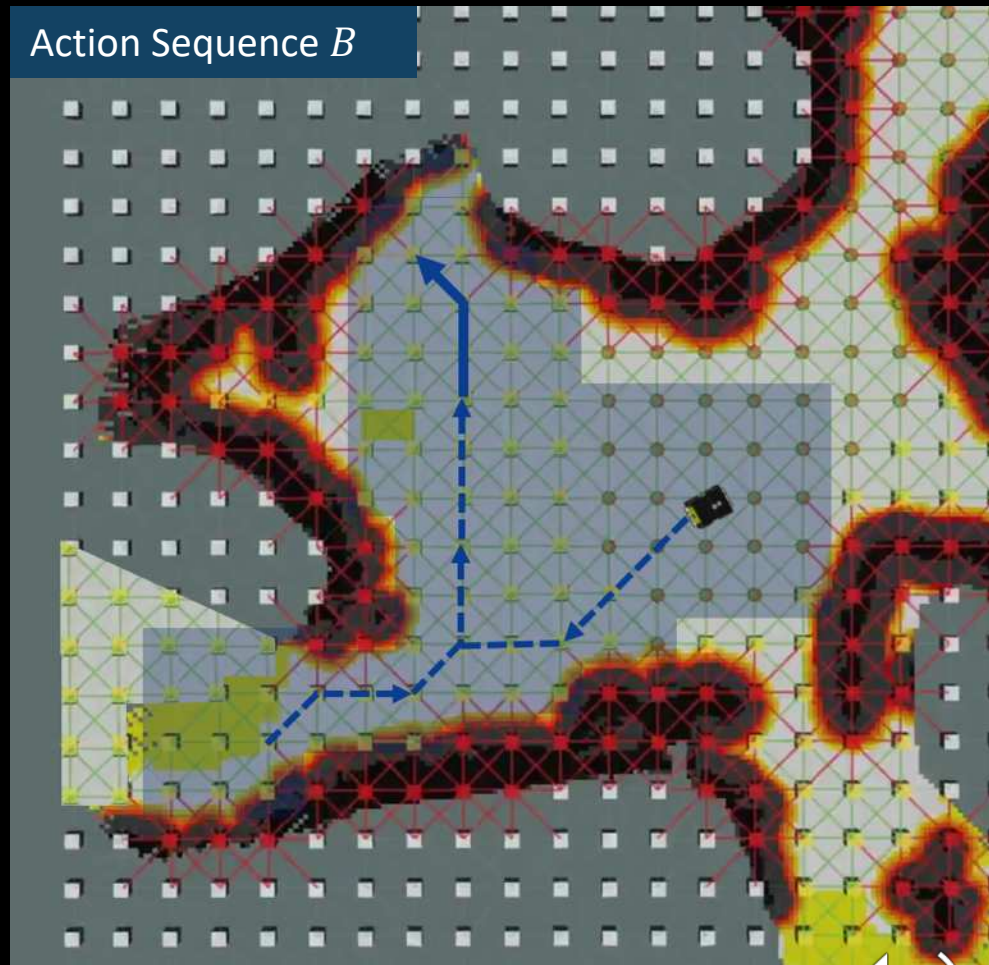


Methodology

Action Sequence A

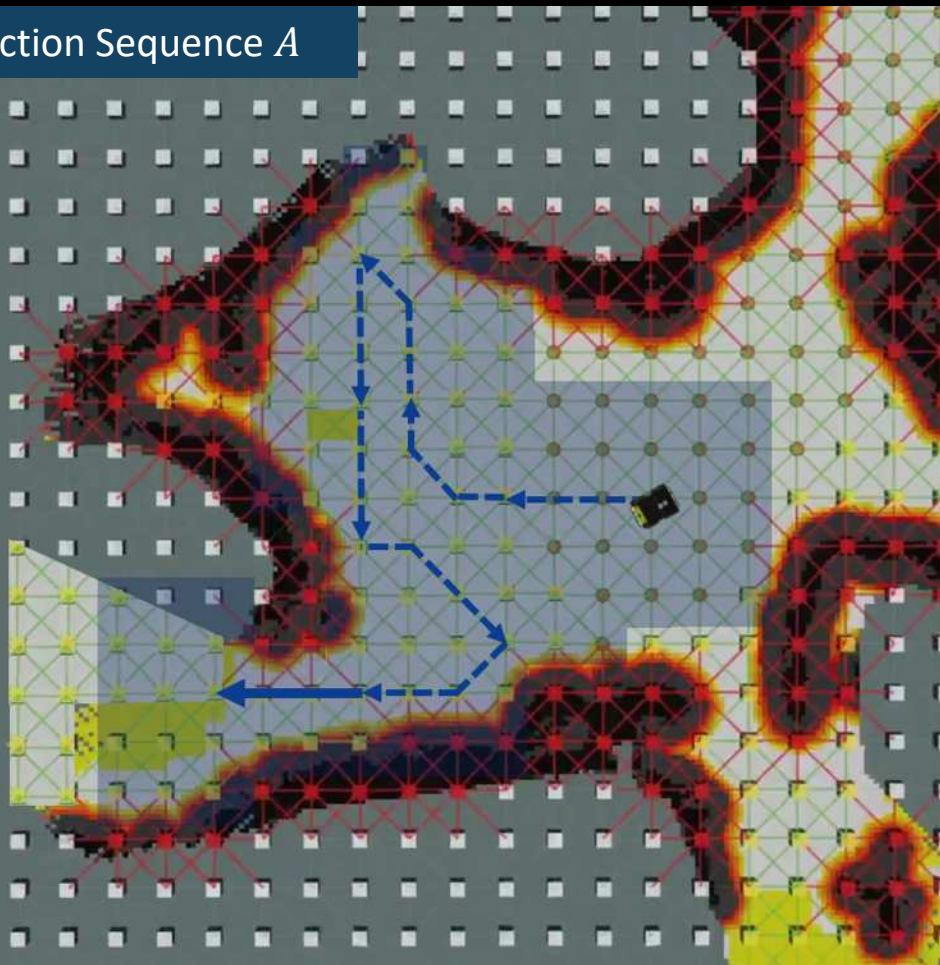


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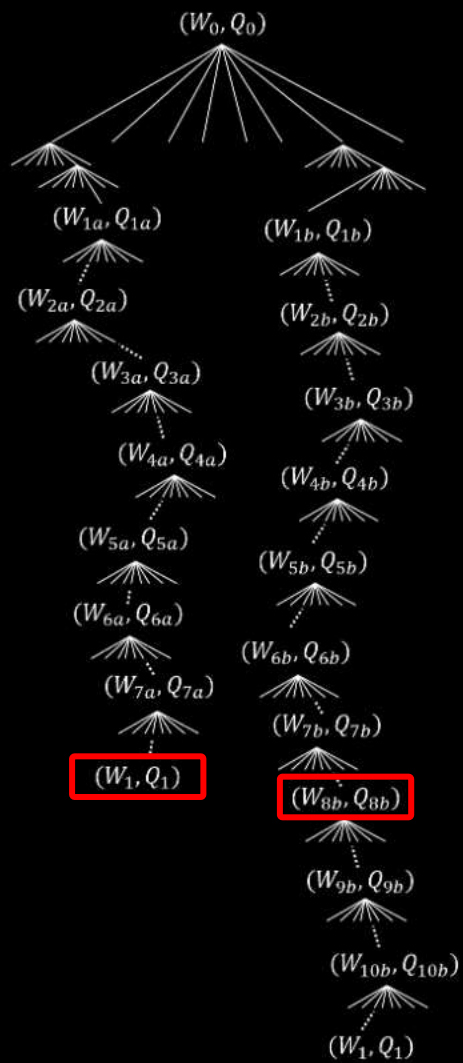
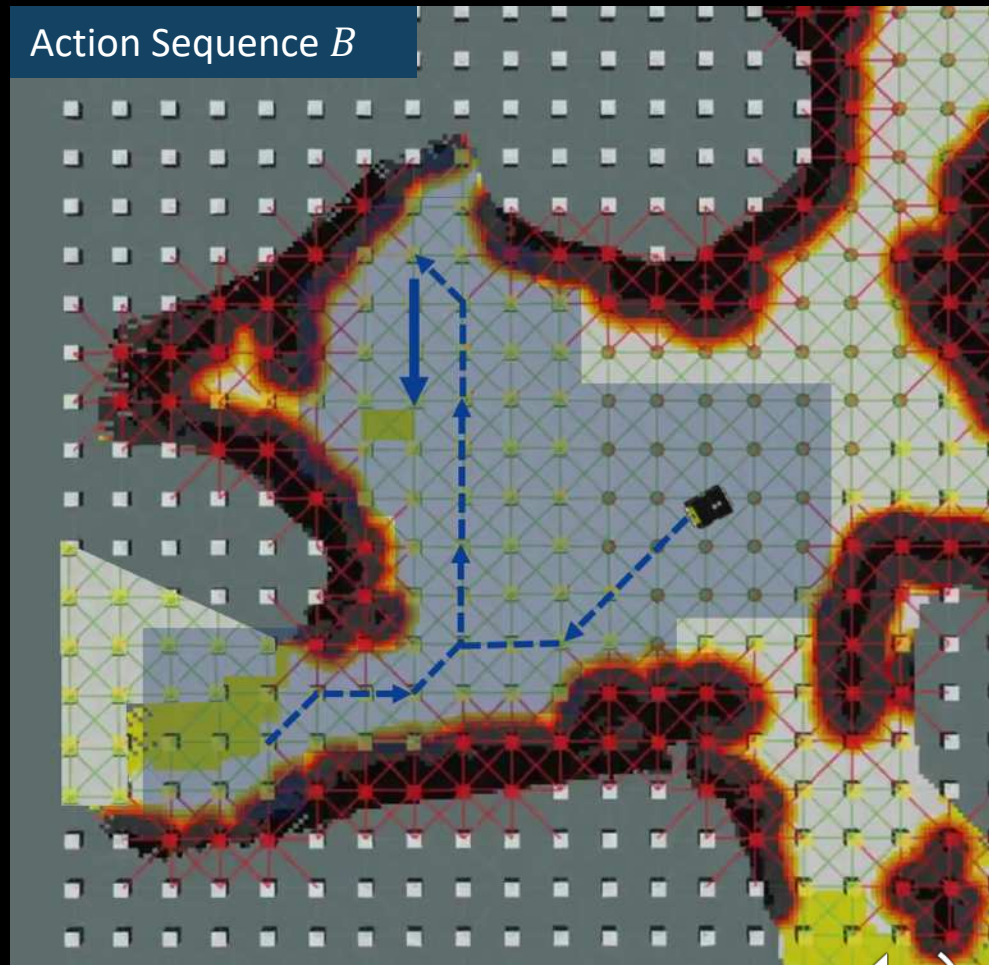


Methodology

Action Sequence A

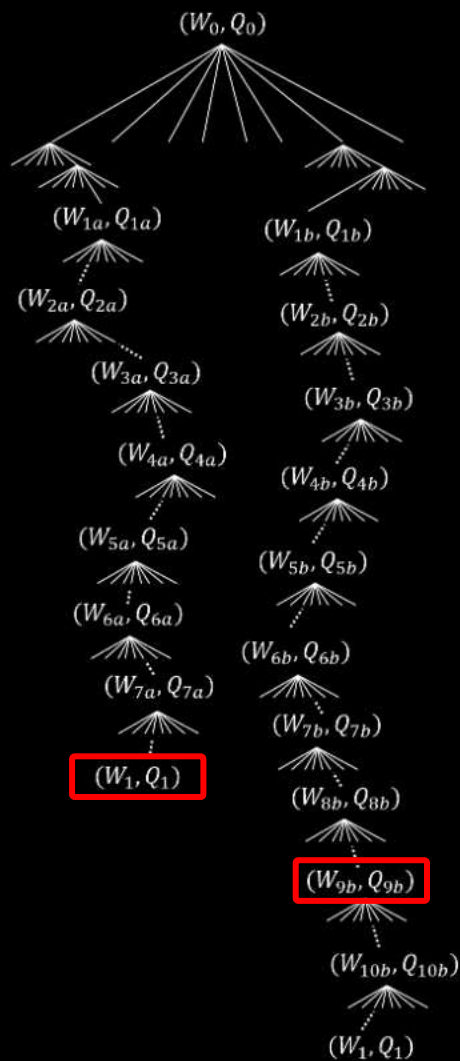
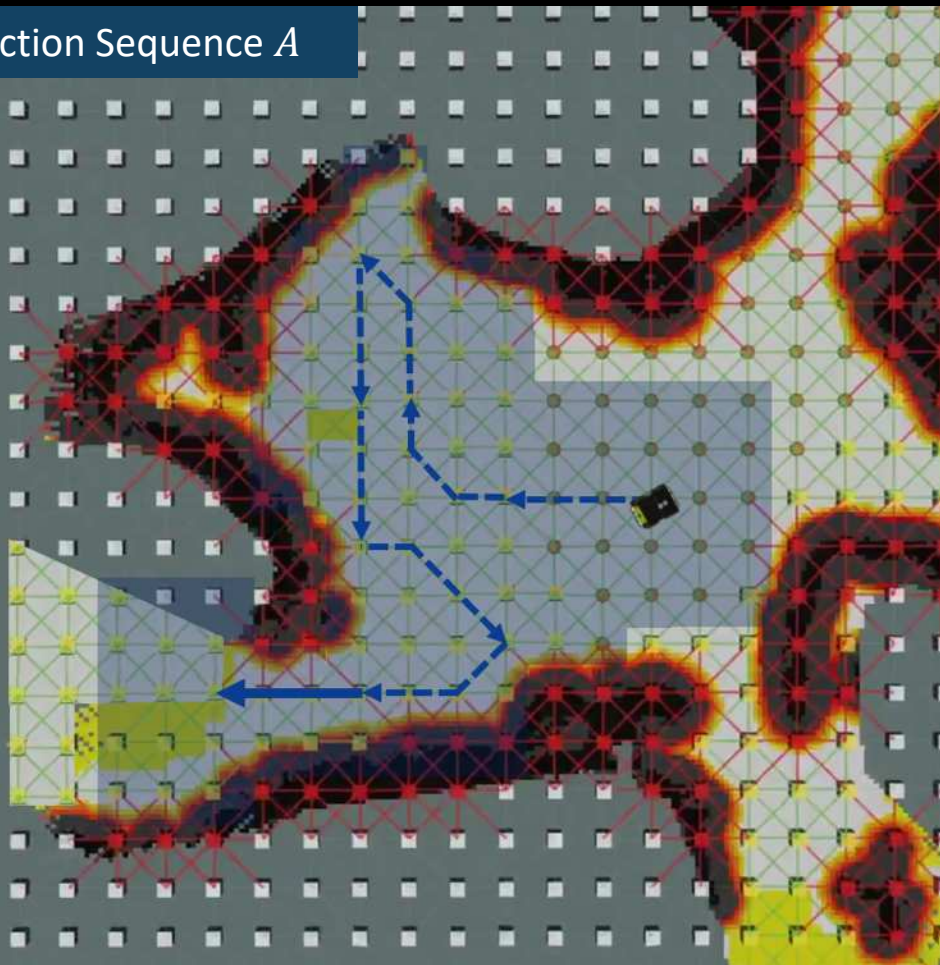


Action Sequence B

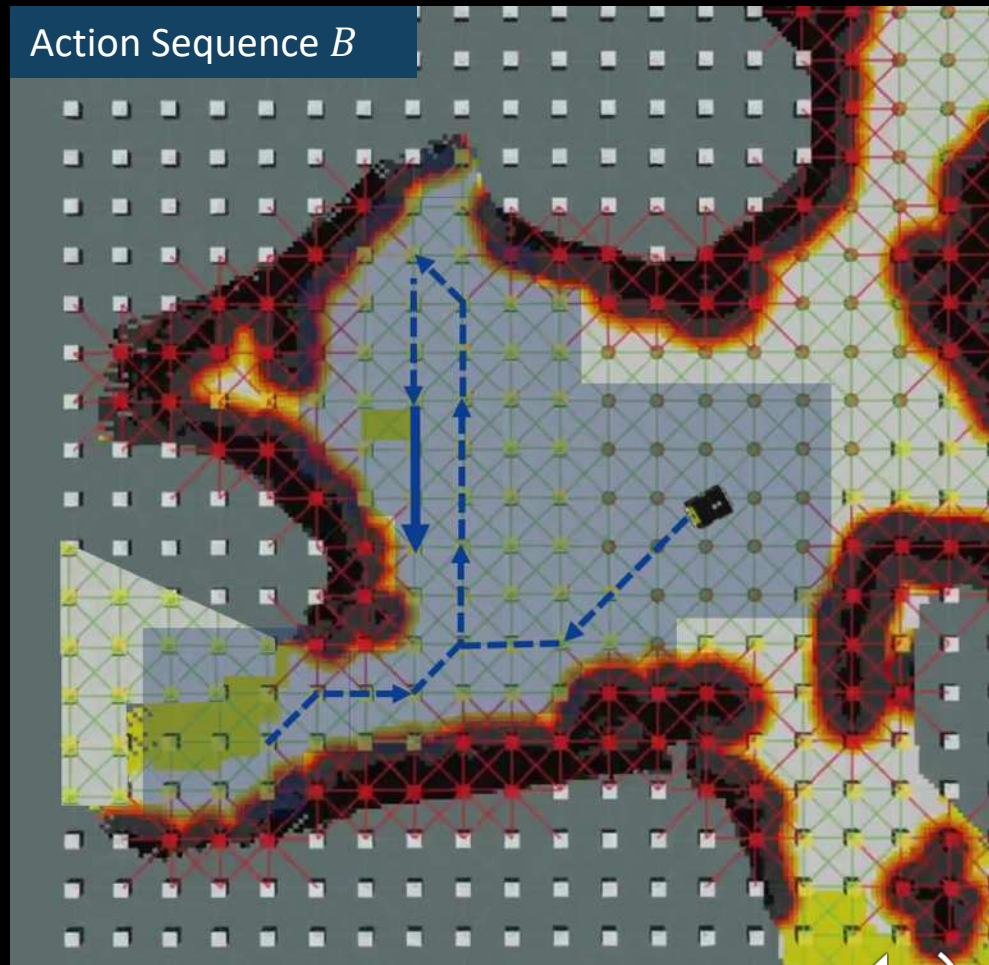


Methodology

Action Sequence A

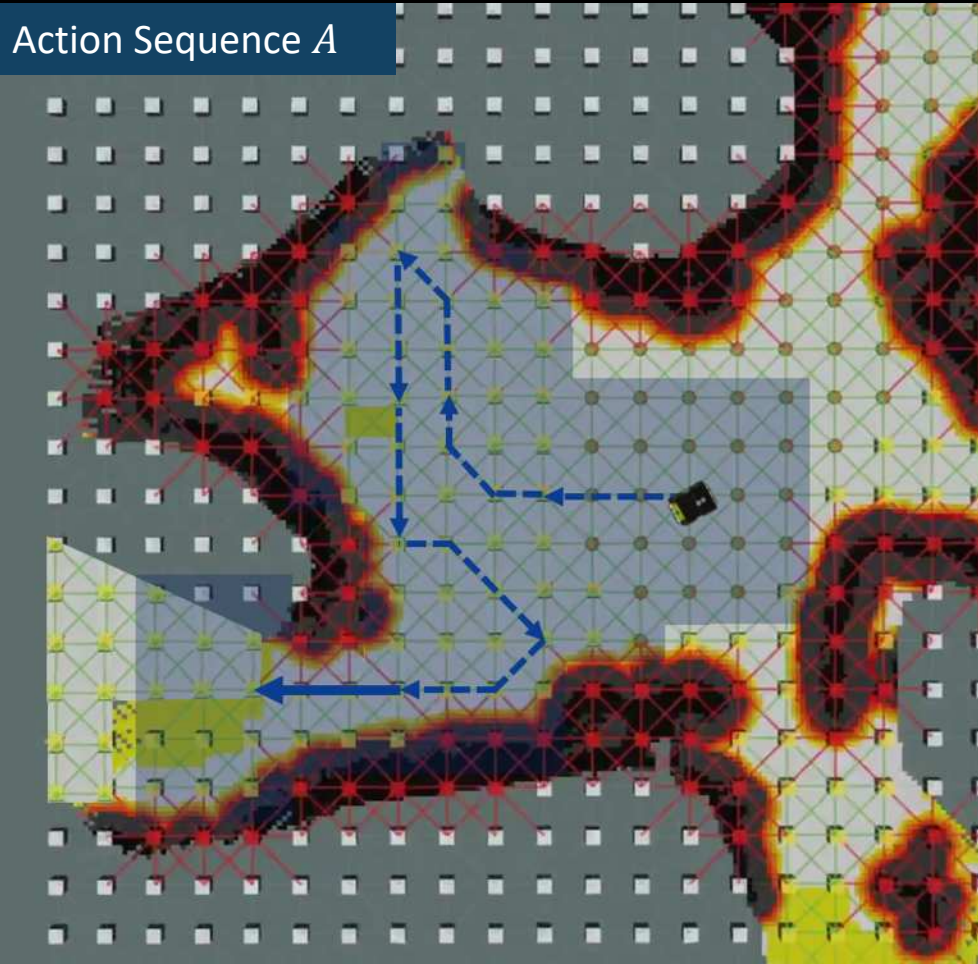


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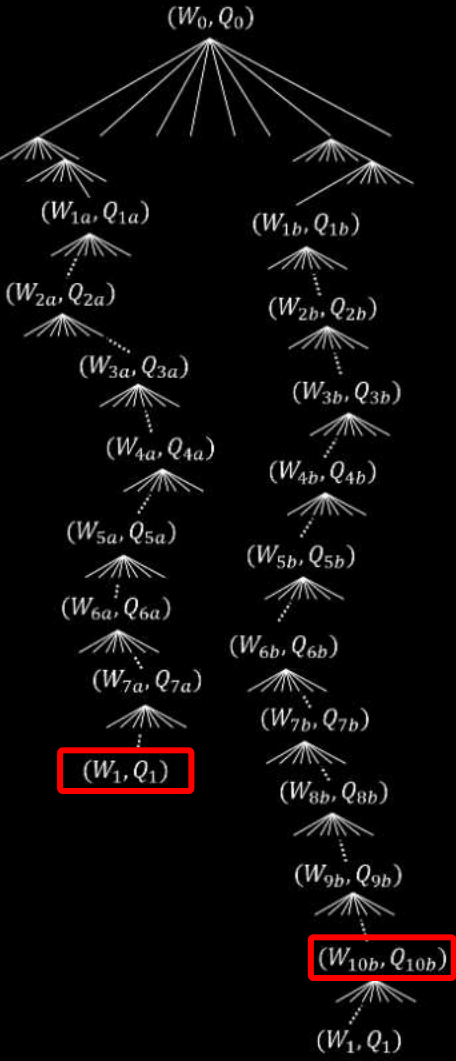
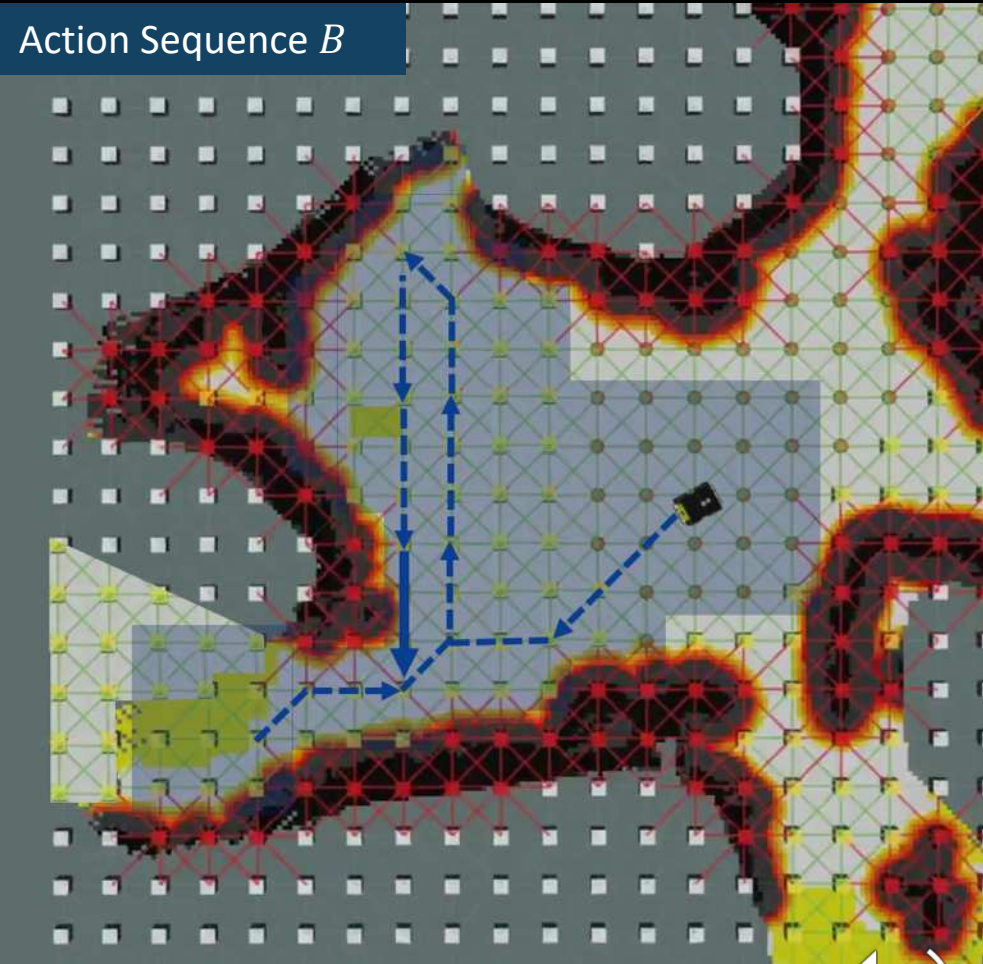


Methodology

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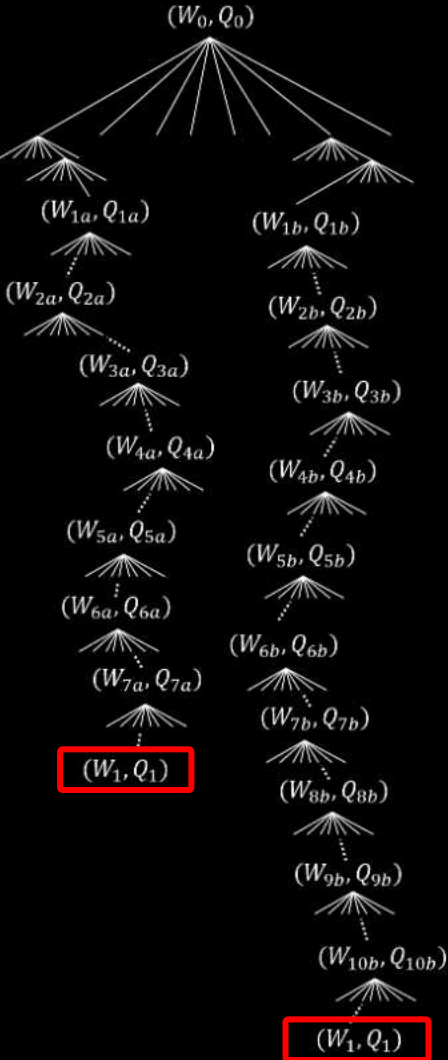
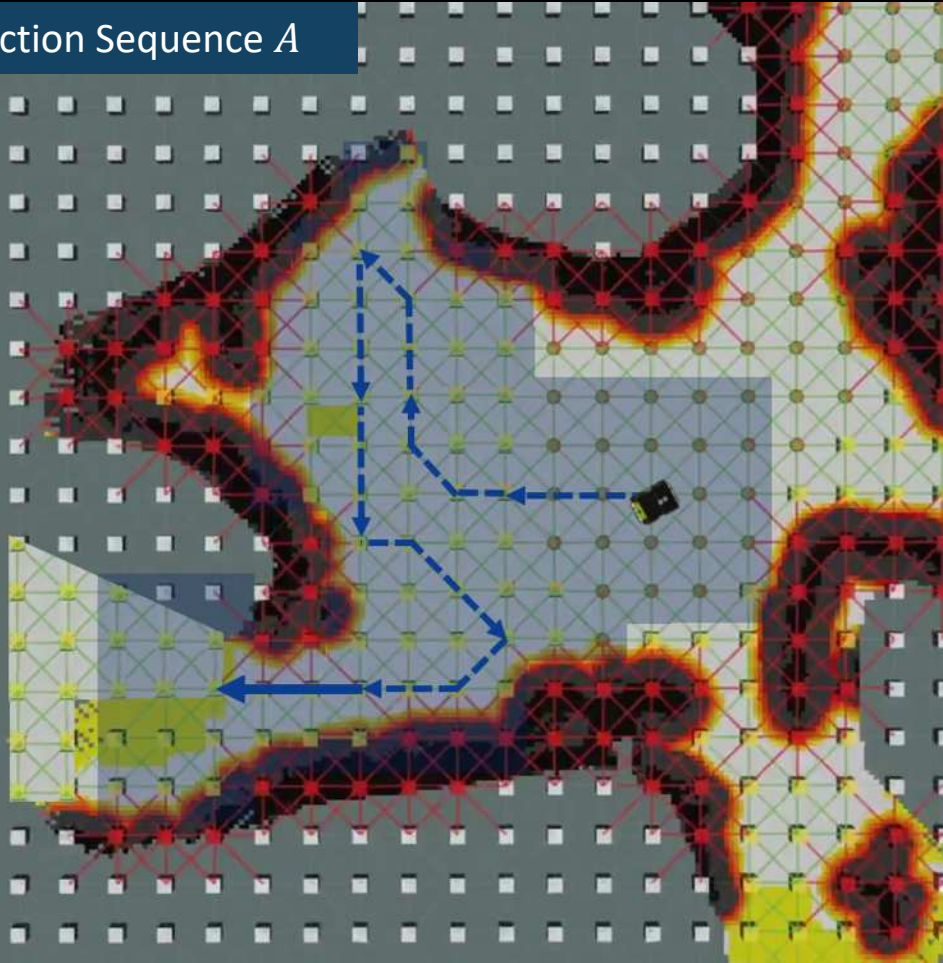


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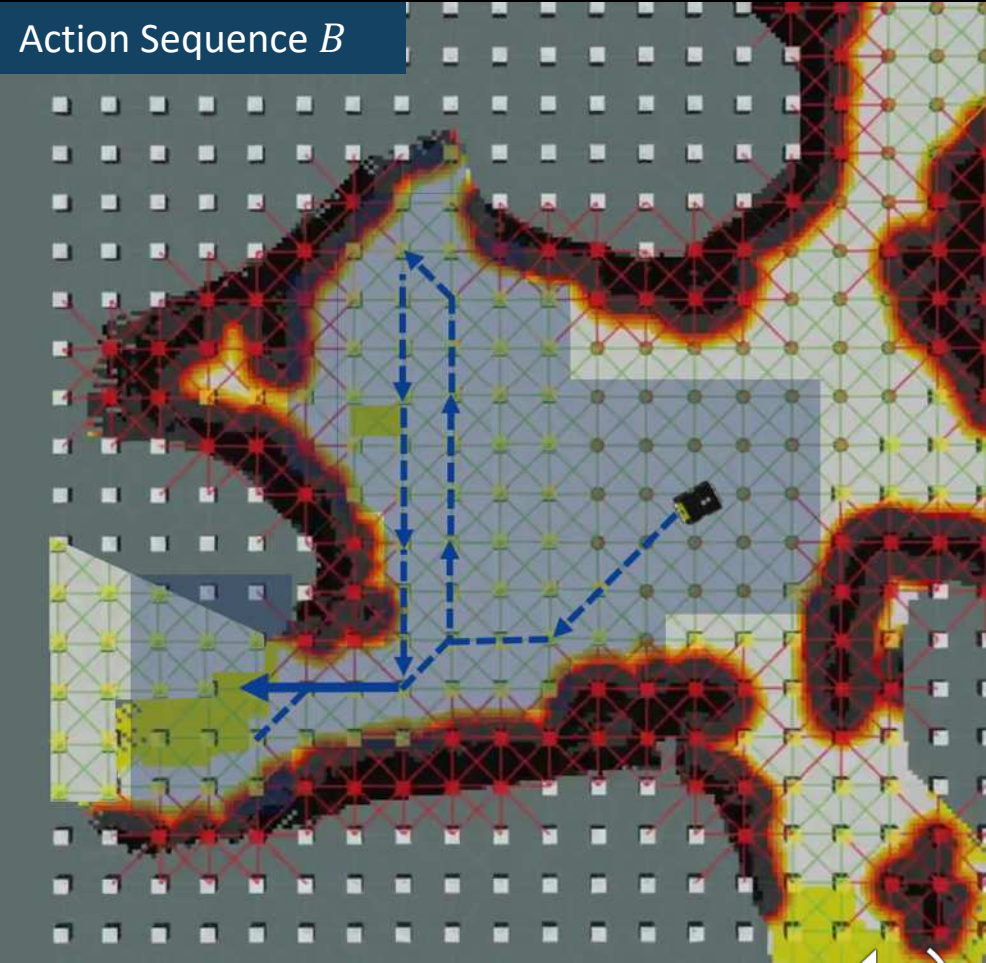


Methodology

Action Sequence A

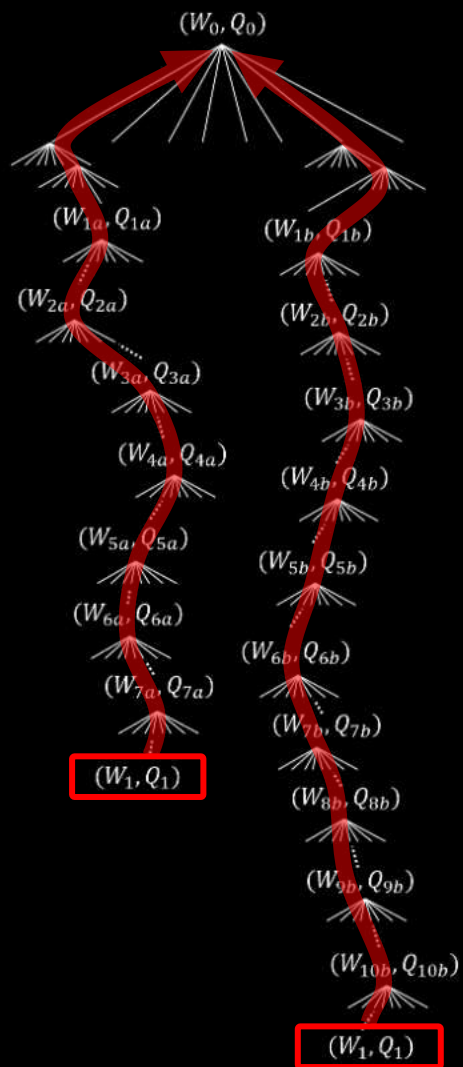
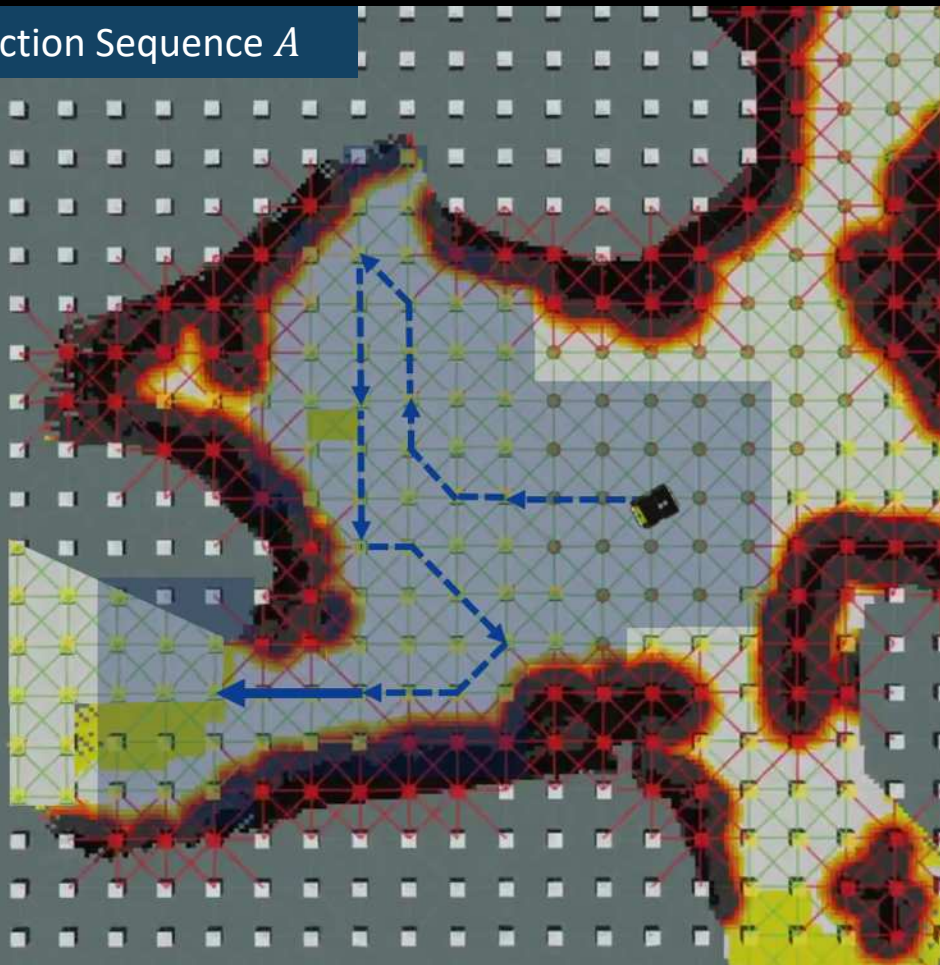


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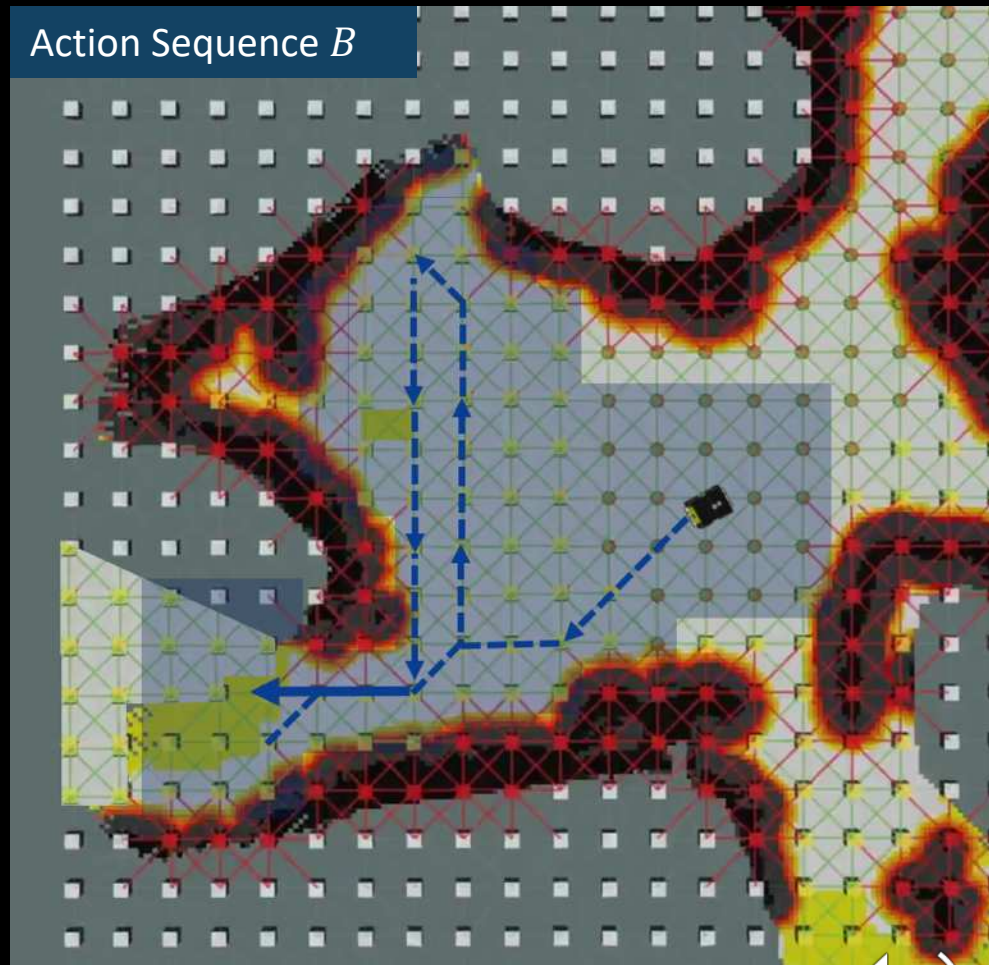


Methodology

Action Sequence A

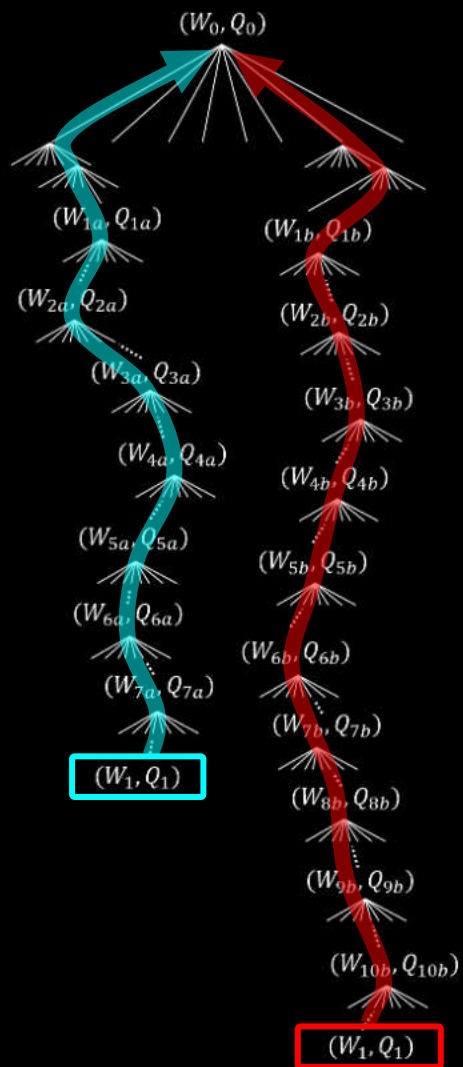
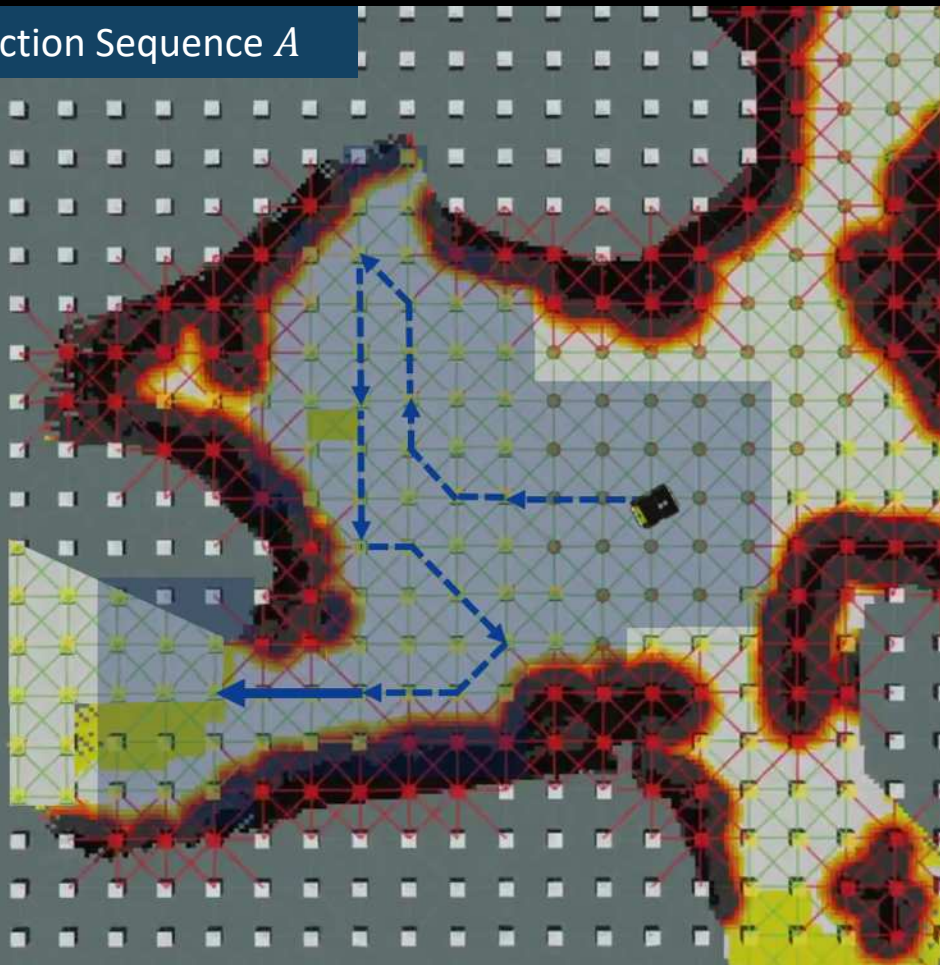


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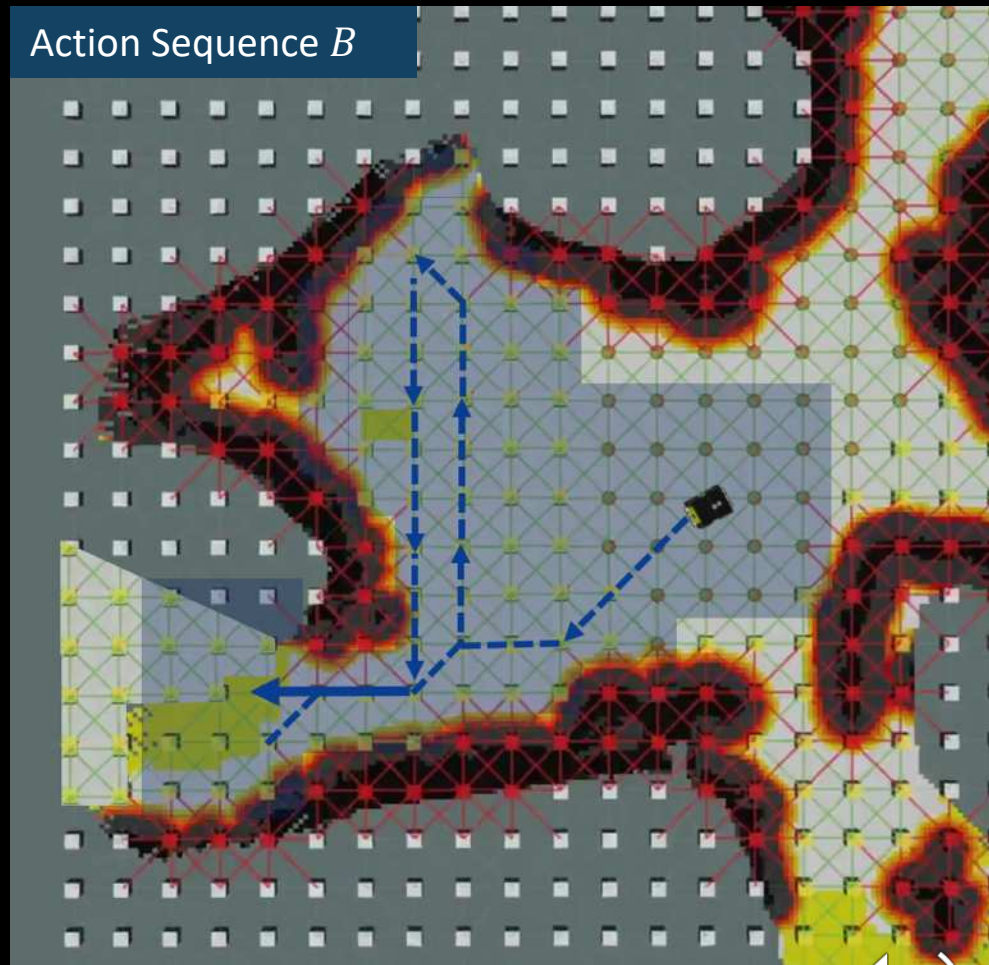


Methodology

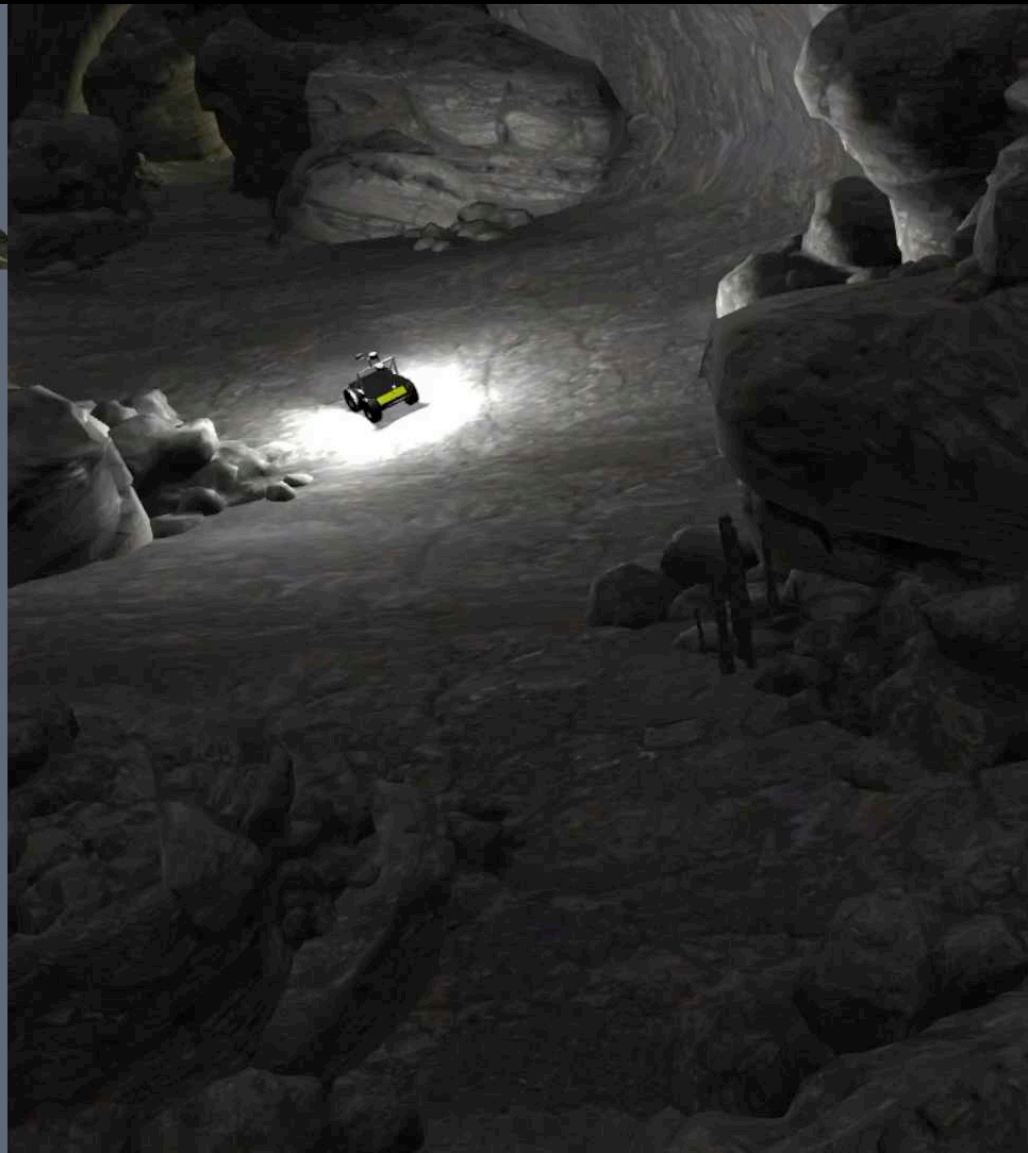
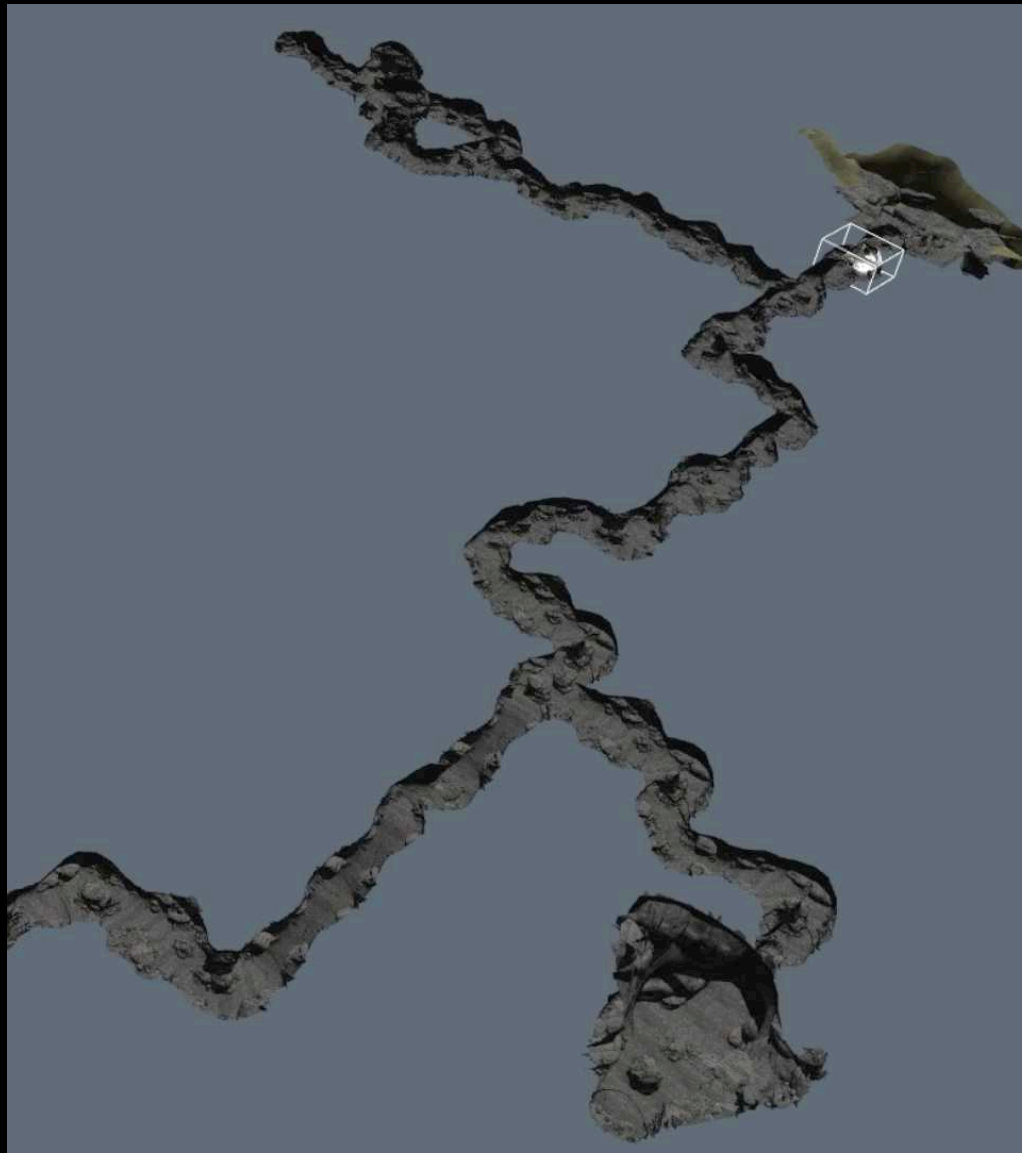
Action Sequence A



Action Sequence B

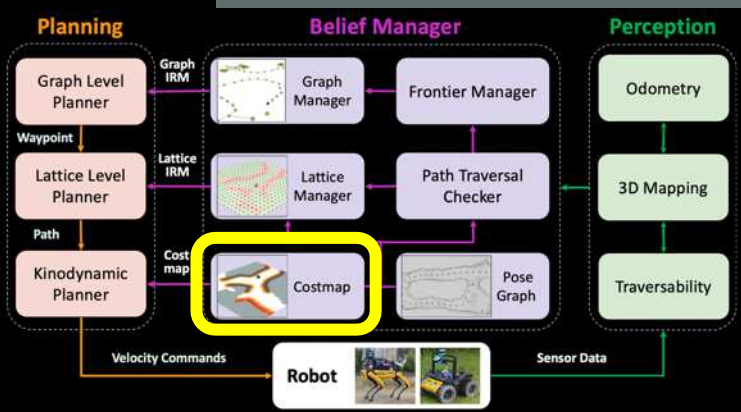


Results

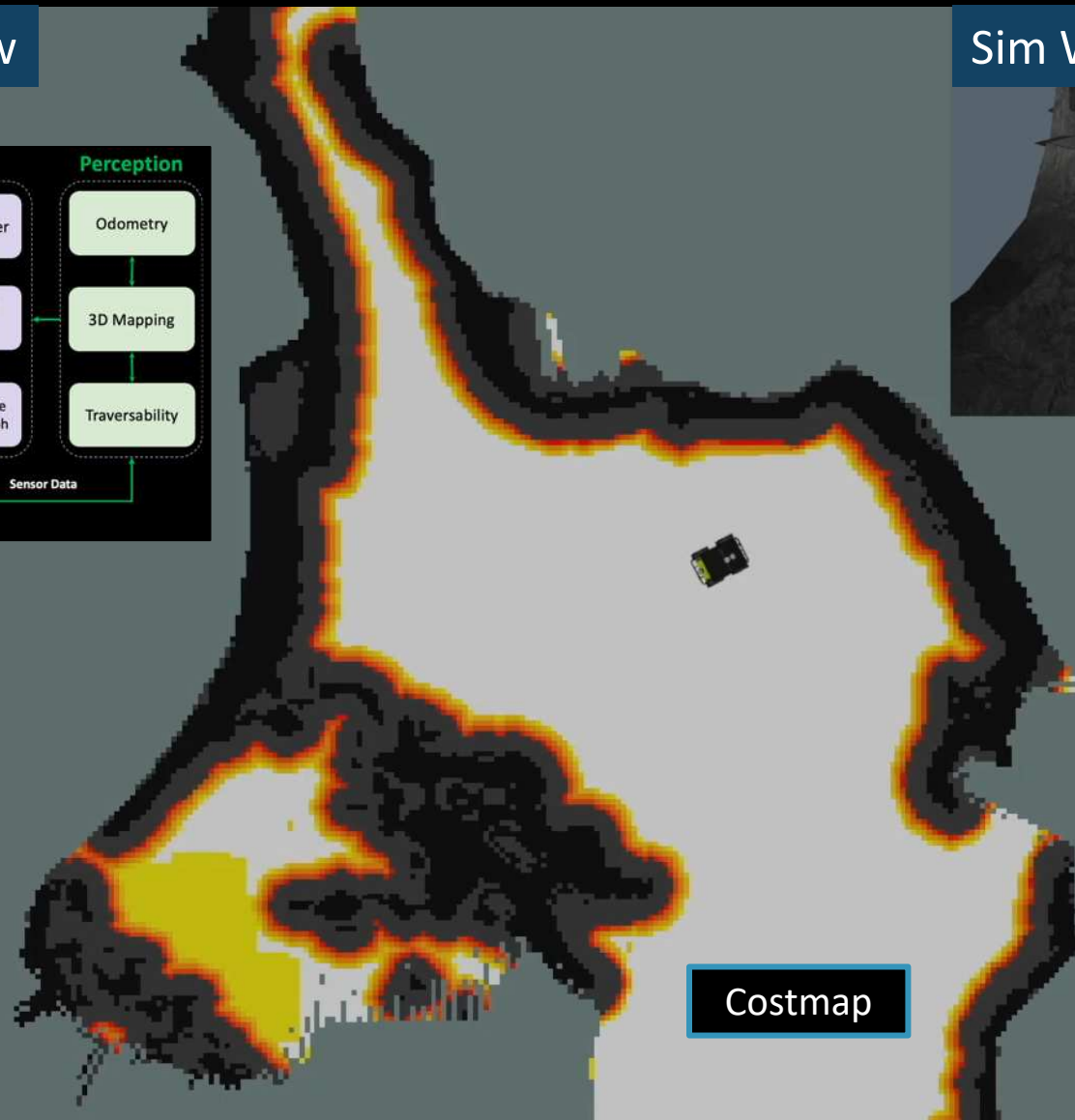
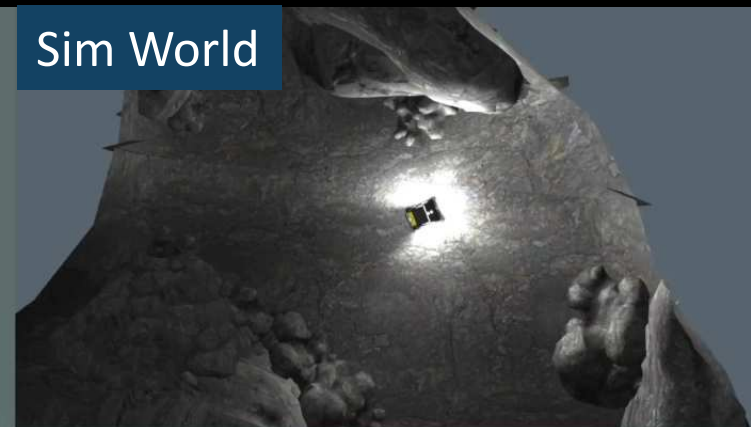


Results

Onboard View



Sim World

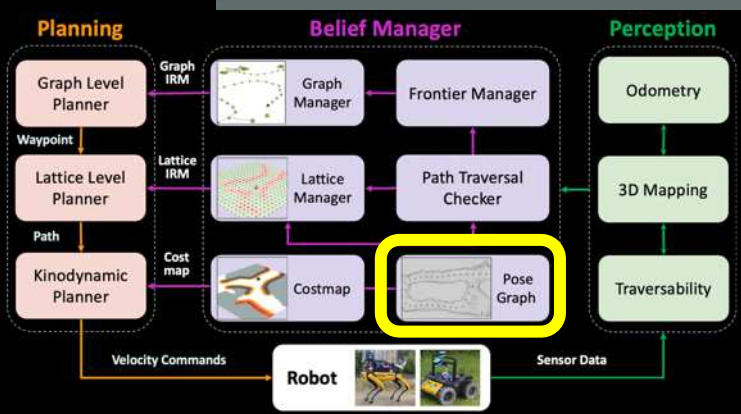


Costmap

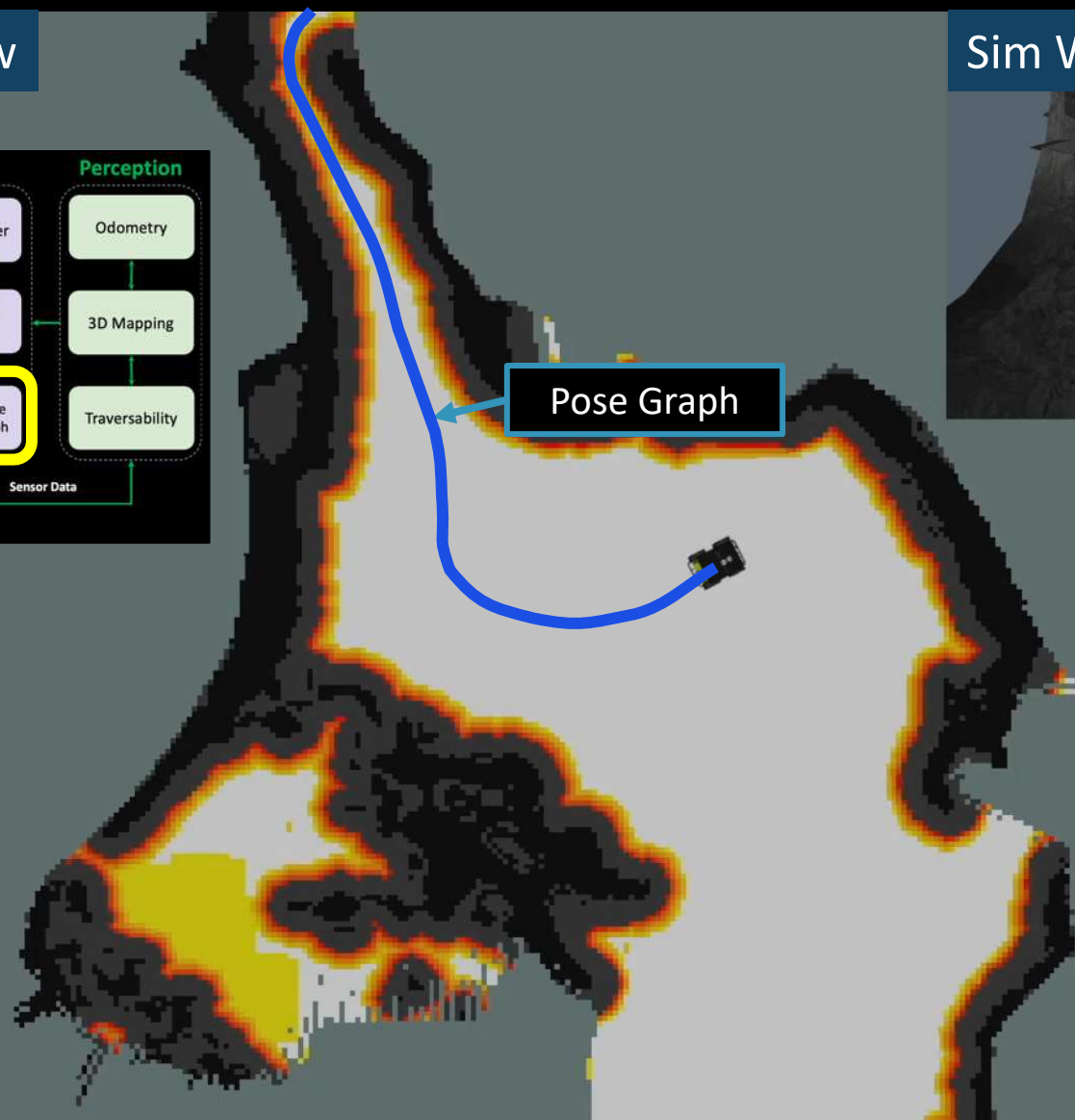
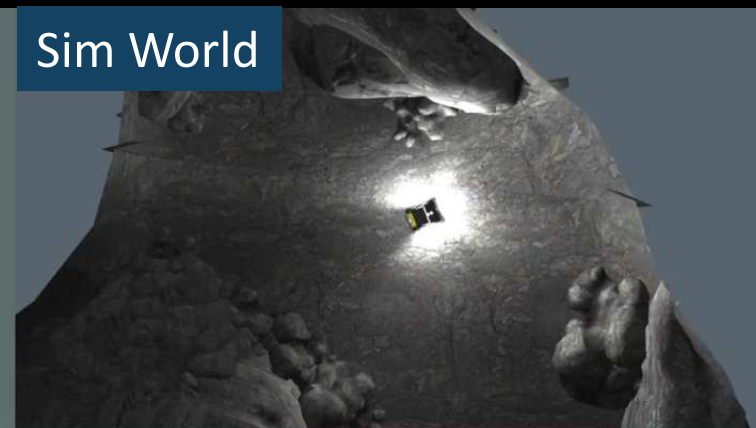


Results

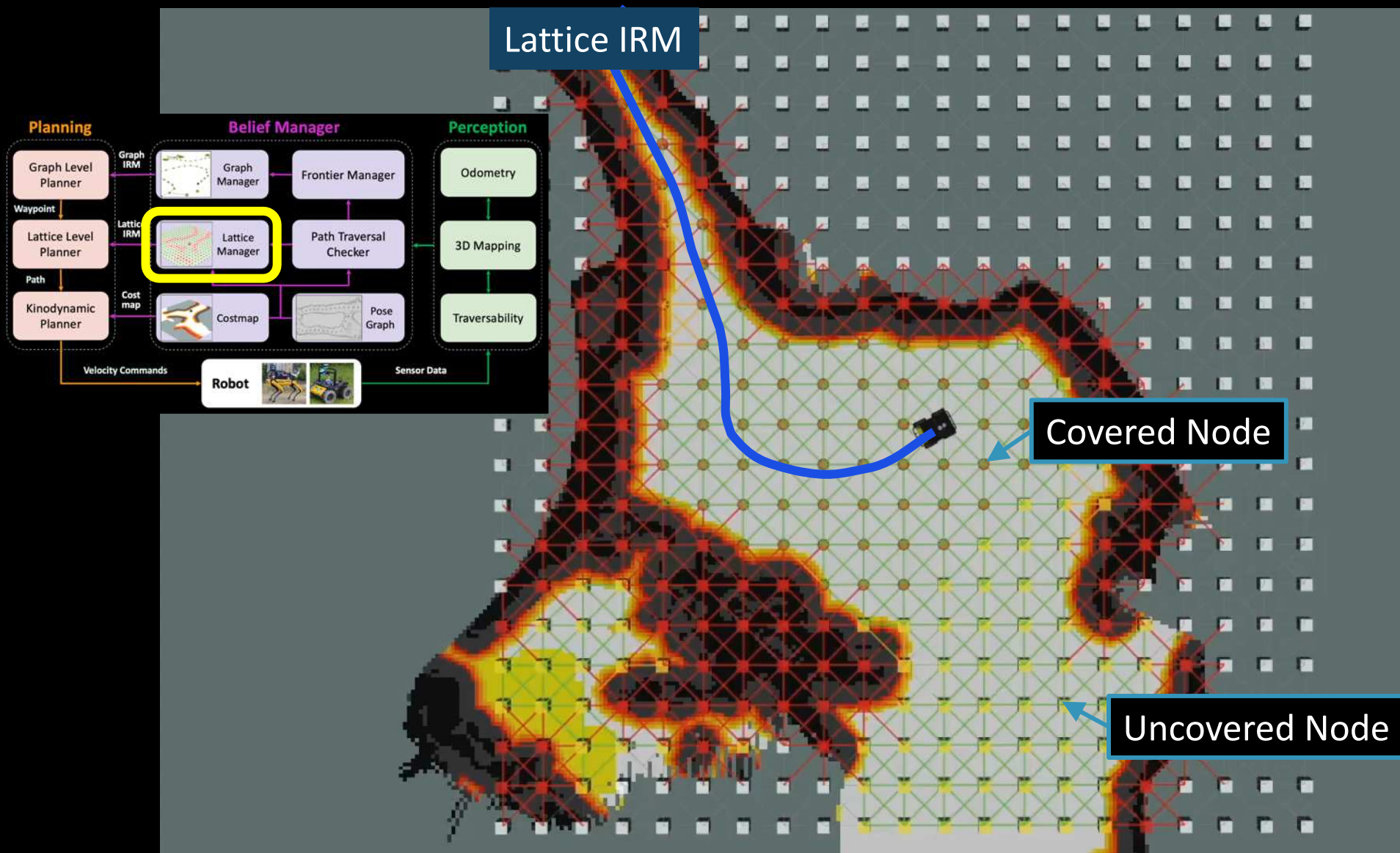
Onboard View



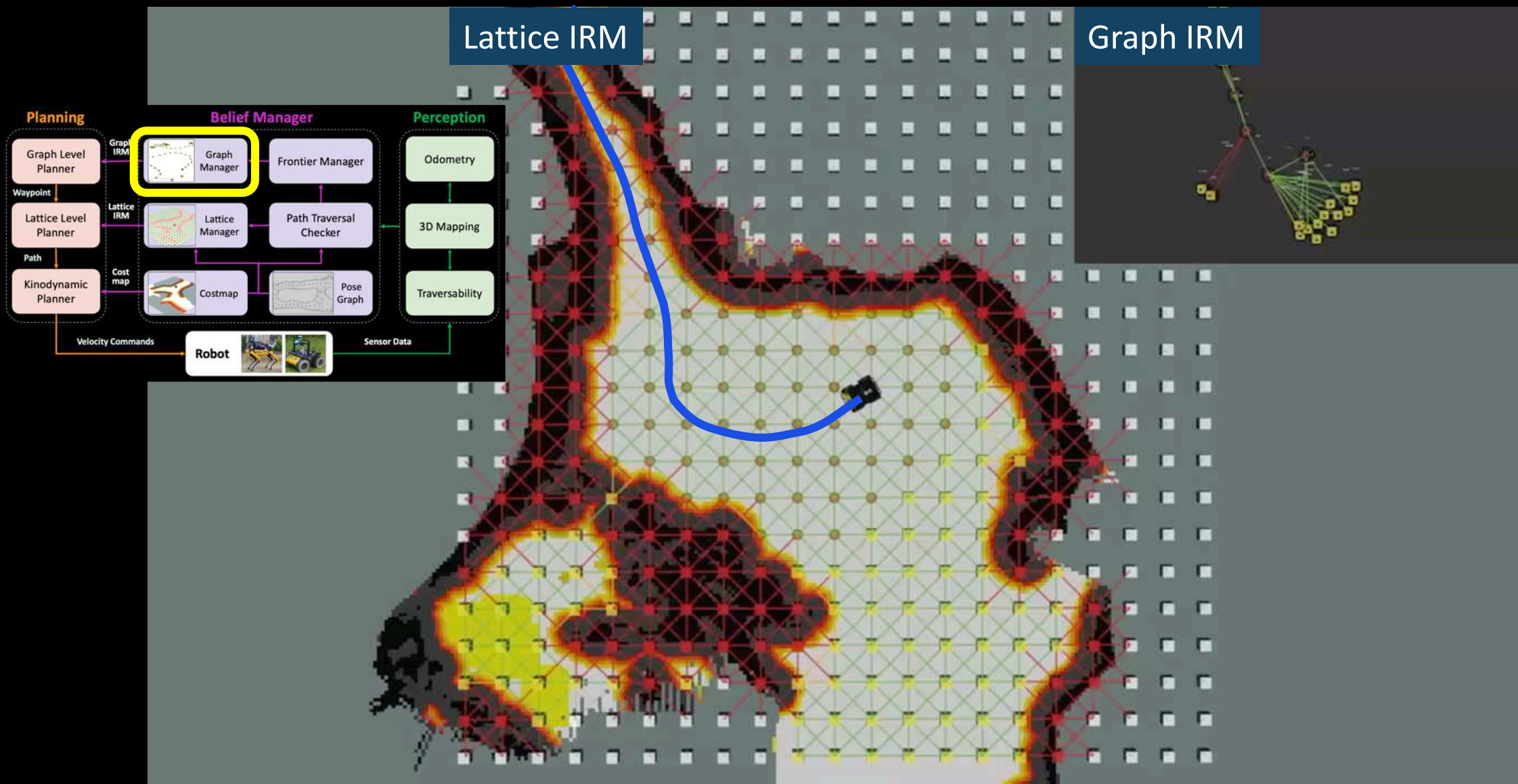
Sim World



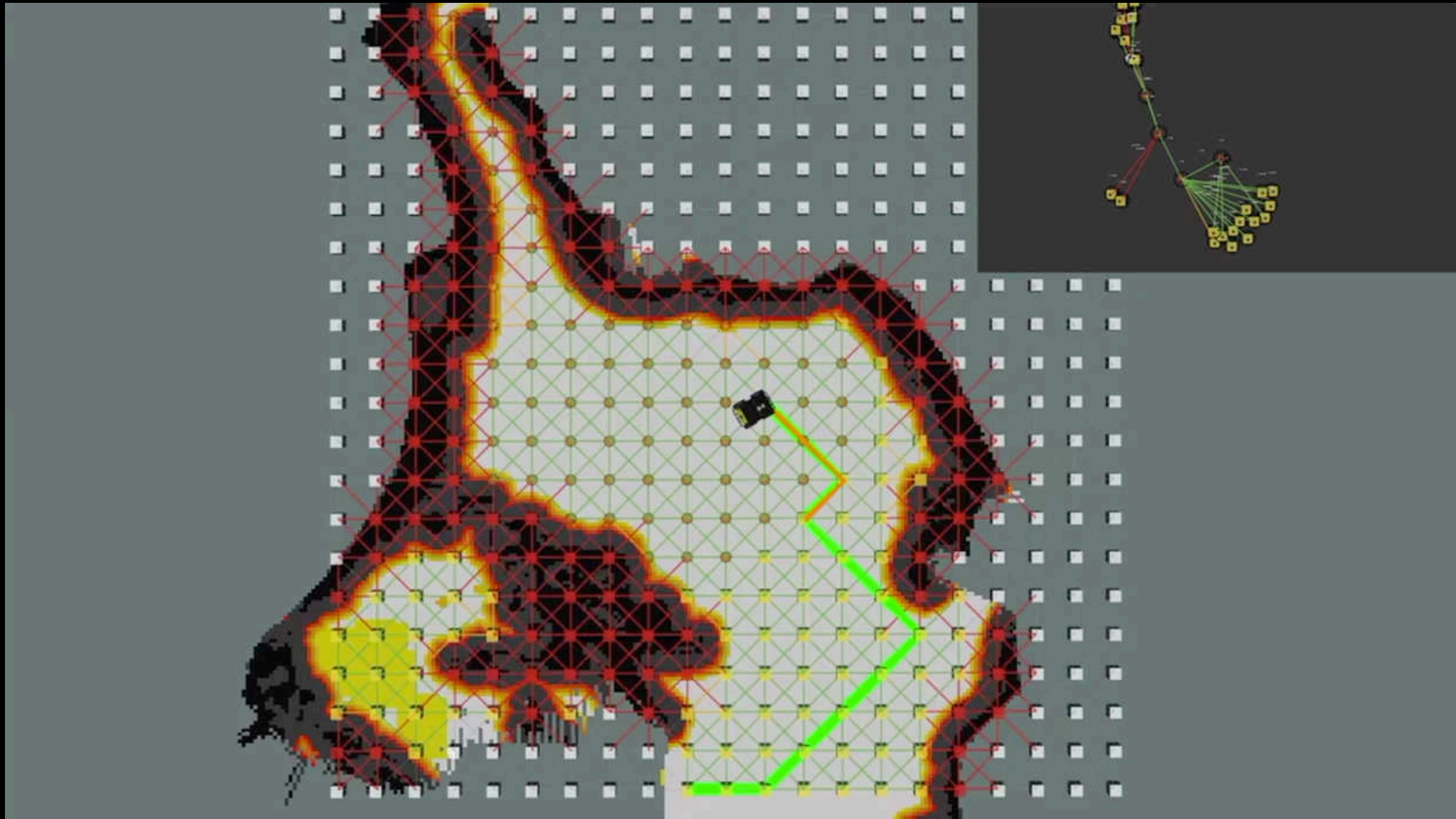
Results



Results

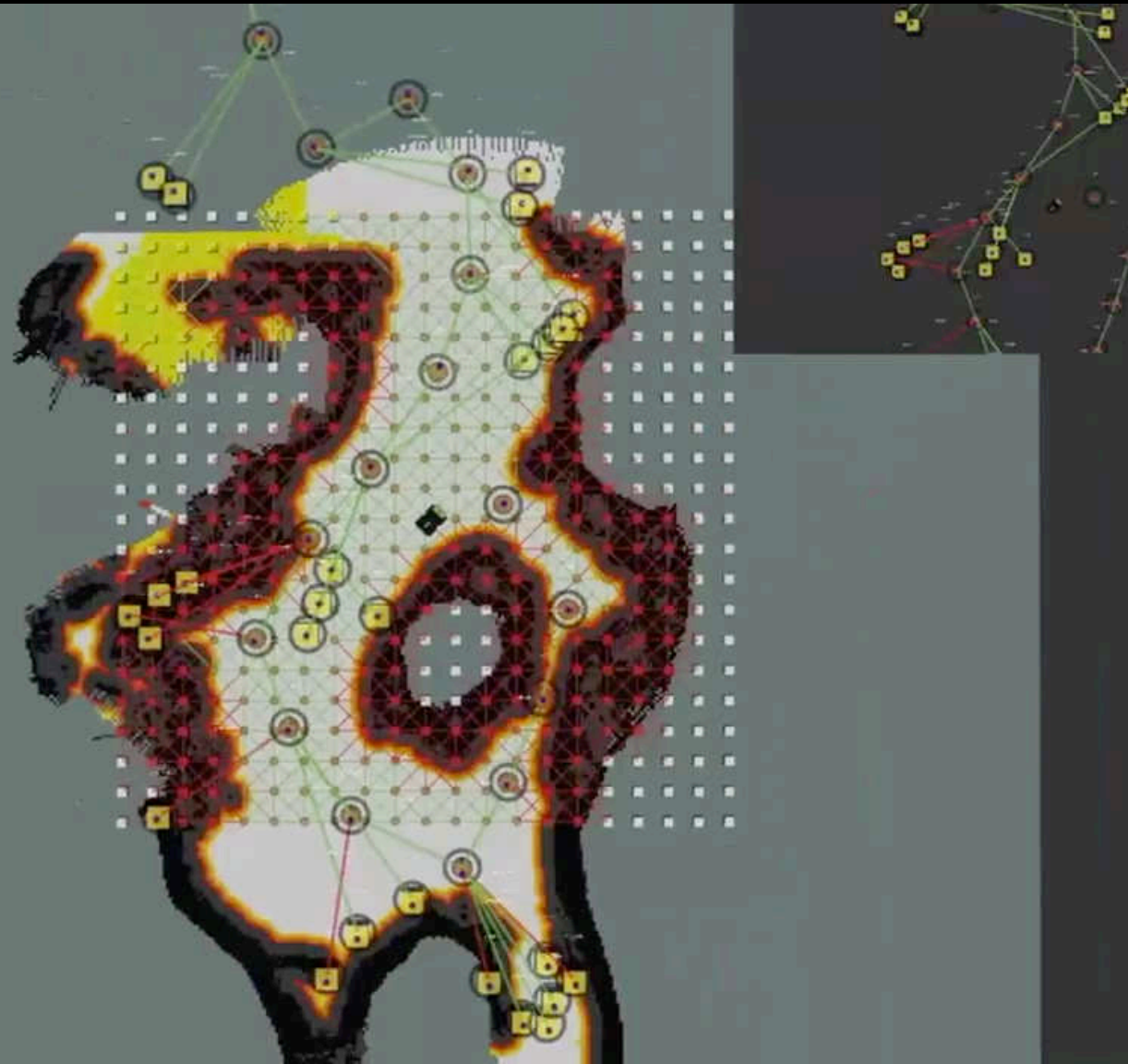


Results



Results

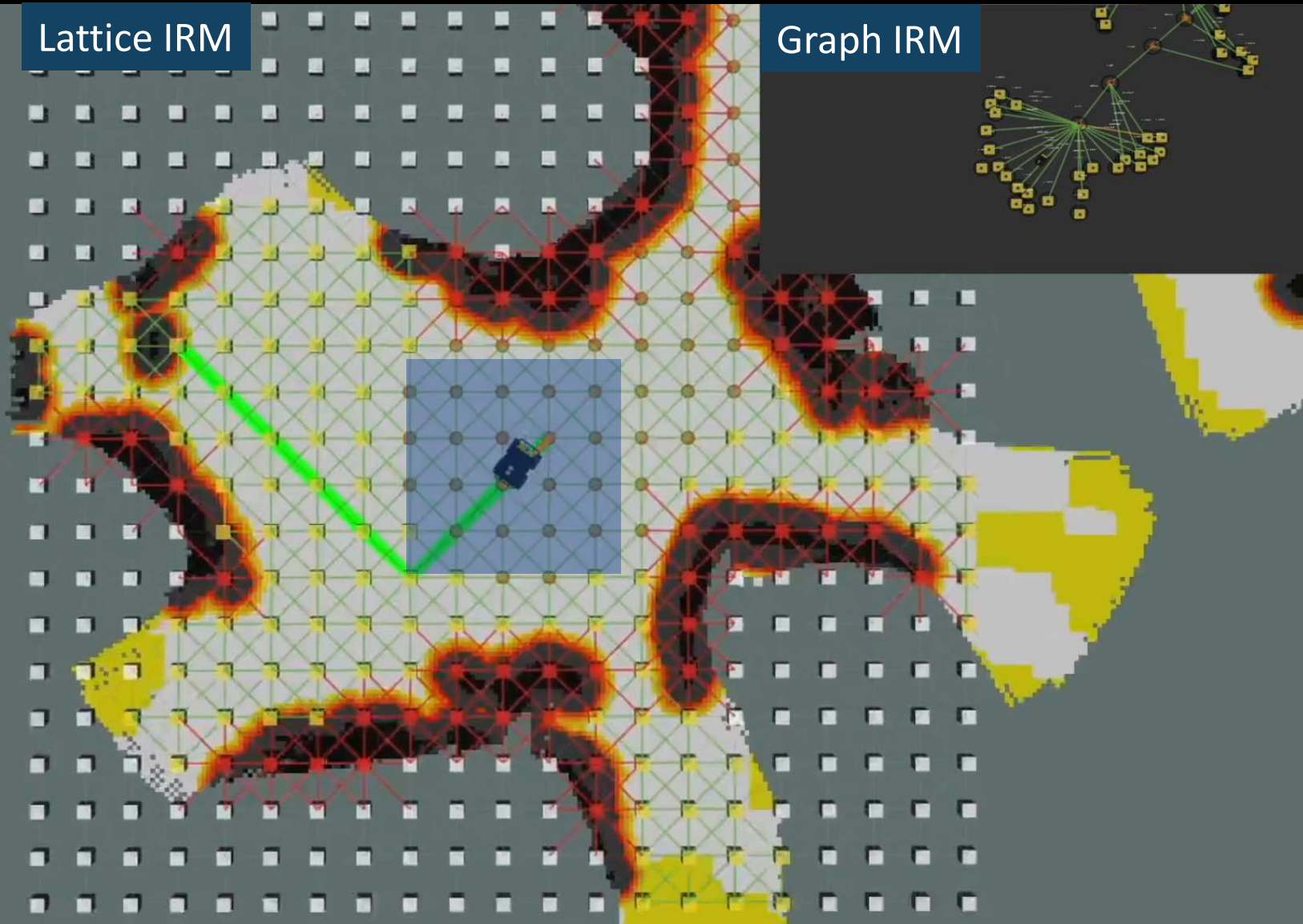
X20



Results

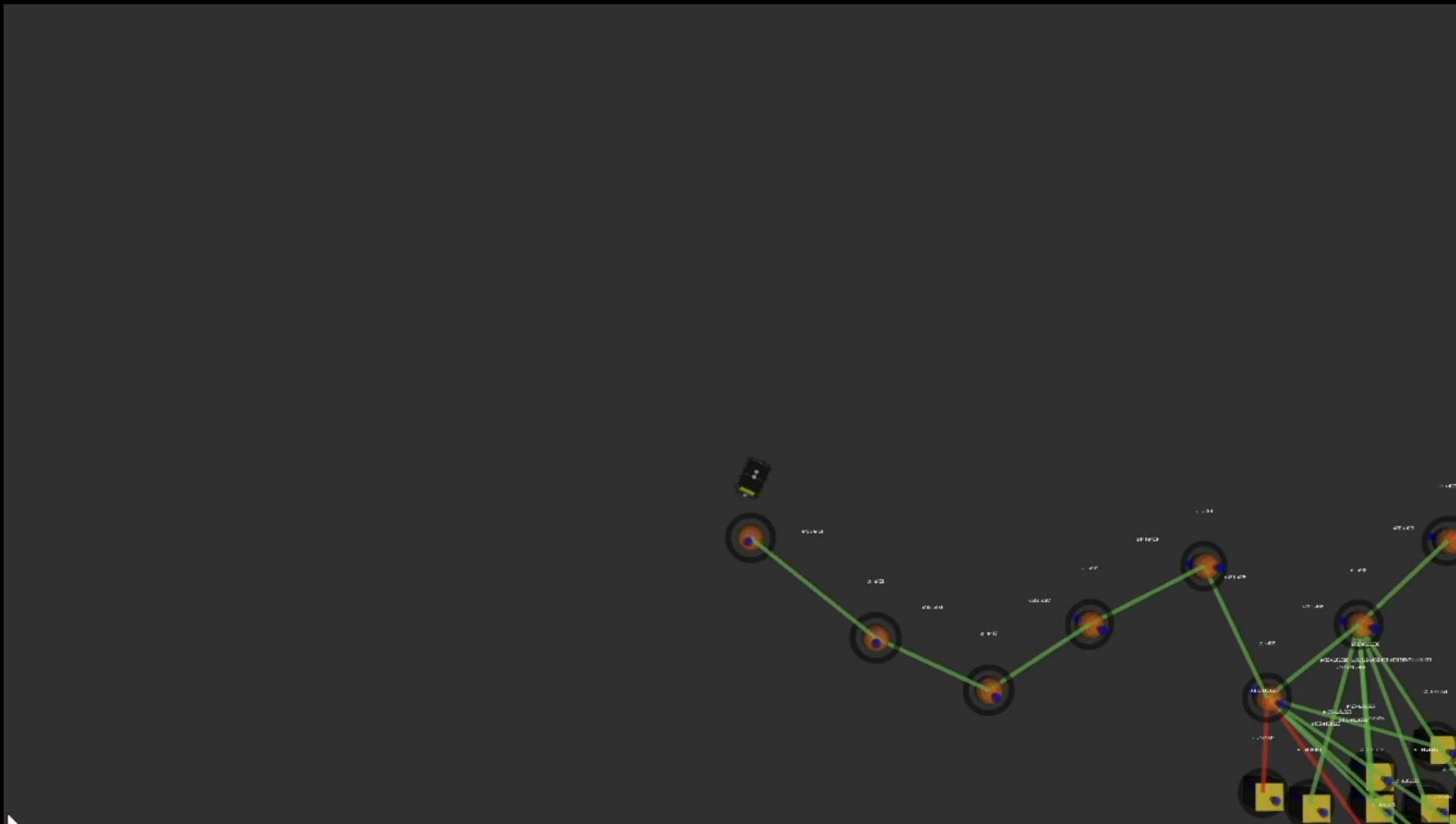
Lattice IRM

Graph IRM



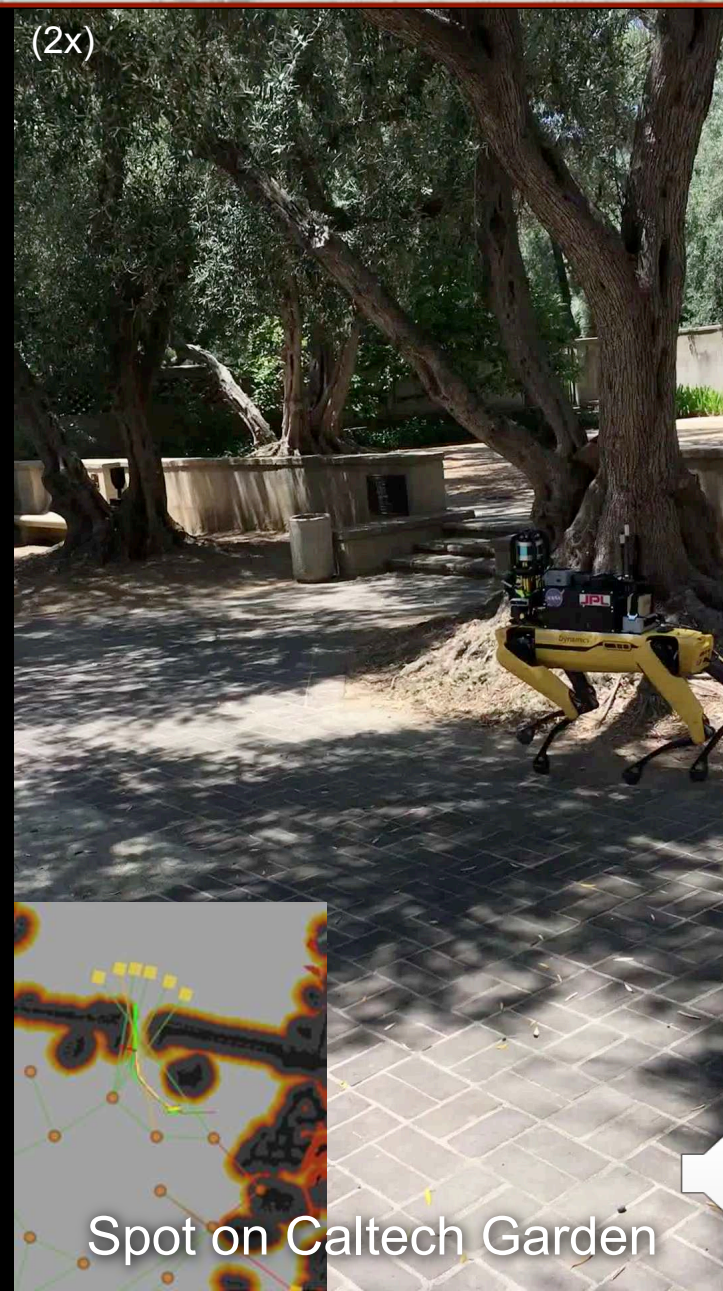


Results



Results

- Enabled large-scale autonomous exploration in unknown environments
- Theoretically grounded approach
- Demonstrated simulation and (initial) hardware tests
- Adaptive replanning in dynamic environments
- Multi-robot coverage planning
- Learning-based approaches



Publications and References

Sung-Kyun Kim, Amanda Bouman, Gautam Salhotra, David D. Fan, Kyohei Otsu, Joel Burdick, Ali-akbar Agha-mohammadi, “PLGRIM: Hierarchical Value Learning for Large-scale Coverage in Unknown Environments,” IEEE Robotics and Automation Letters (RA-L), 2020. *In preparation*.

Belief Space Planning

- [1] **Sung-Kyun Kim**, Rohan Thakker, and Ali-akbar Agha-mohammadi, “Bi-directional Value Learning for Risk-aware Planning Under Uncertainty,” IEEE Robotics and Automation Letters (RA-L), vol. 4, no. 3, pp. 2493-2500, 2019.
- [2] **Sung-Kyun Kim**, Oren Salzman, and Maxim Likhachev, “POMHDP: Search-based Belief Space Planning using Multiple Heuristics,” International Conference on Automated Planning and Scheduling (ICAPS), pp. 734-744, 2019.
- [3] Ali-akbar Agha-mohammadi, Saurav Agarwal, **Sung-Kyun Kim**, Suman Chakravorty, and Nancy M. Amato, “SLAP: Simultaneous Localization and Planning for Physical Mobile Robots via Enabling Dynamic Replanning in Belief Space,” IEEE Transactions on Robotics (TRO), vol. 34, no. 5, pp. 1195-1214, 2018.

Belief Space Representation

- [4] Ali-akbar Agha-mohammadi, Eric Heiden, Karol Hausman, and Gaurav S. Sukhatme, “Confidence-rich 3D Grid Mapping: Toward High-speed Vision-based UAV Navigation,” International Journal of Robotics Research (IJRR), vol. 38, pp. 1352-1374, 2019.
- [5] Ali-akbar Agha-mohammadi, Suman Chakravorty, and Nancy Amato, “FIRM: Sampling-based Feedback Motion Planning Under Motion Uncertainty and Imperfect Measurements,” International Journal of Robotics Research (IJRR), vol. 33, no. 2, pp. 268-304, 2014.



Backup Slides

- Objective

- Maximize the coverage of the environment within a given time

- Approach

- **Longer-horizon** planning under uncertainty
 - Compared to frontier-based exploration with one-step look-ahead greedy policy
- **Compact** environment representation
 - To reduce the problem complexity (dimensionality)
- **Hierarchical** framework to scale to large environments
 - To reduce the problem complexity (planning horizon, i.e., history)

- Objective

- Maximize the **information gain per action cost** for a finite planning horizon, in a receding horizon control fashion (online replanning)

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- **Longer-horizon** planning under uncertainty
 - Based on POMCP (Partially Observable Monte Carlo Planning) algorithm
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 - To reduce the problem complexity (dimensionality)
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- Maximize the **information gain per action cost** for a finite planning horizon, in a receding horizon control fashion (online replanning)

- Approach

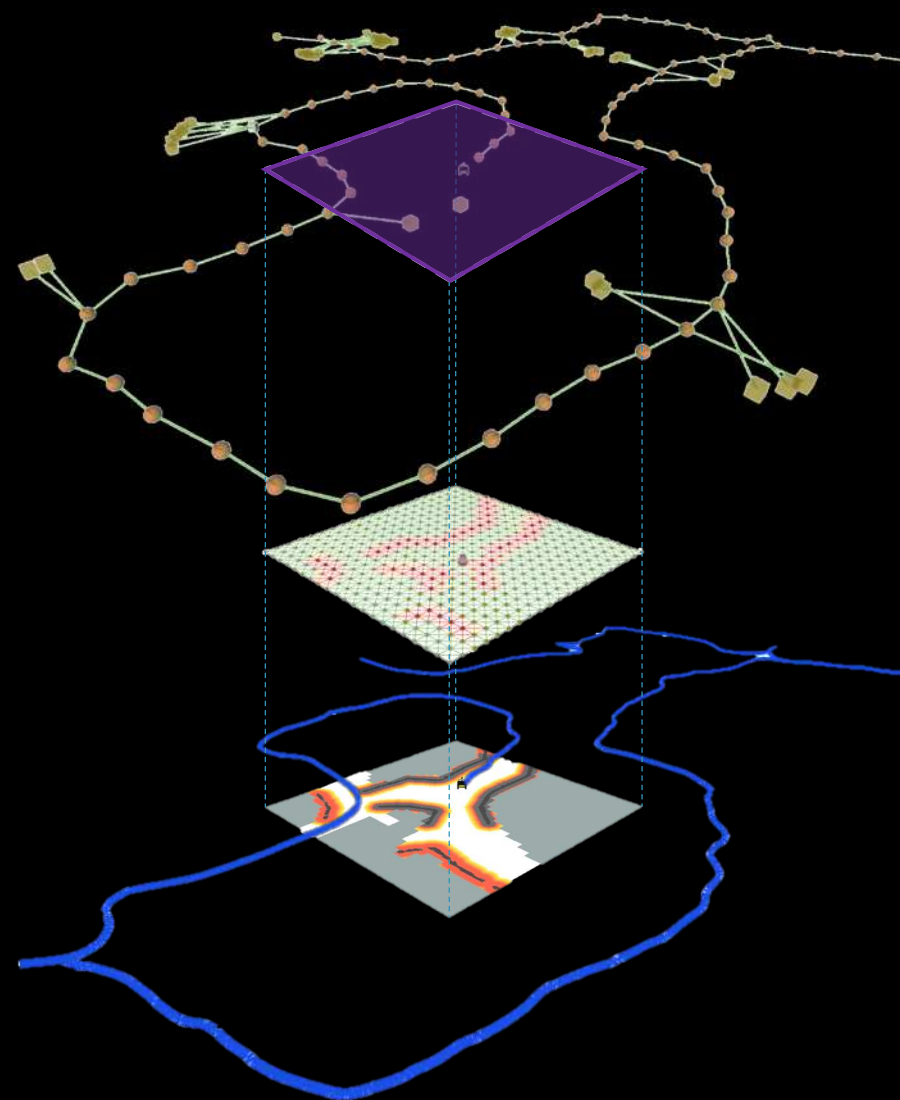
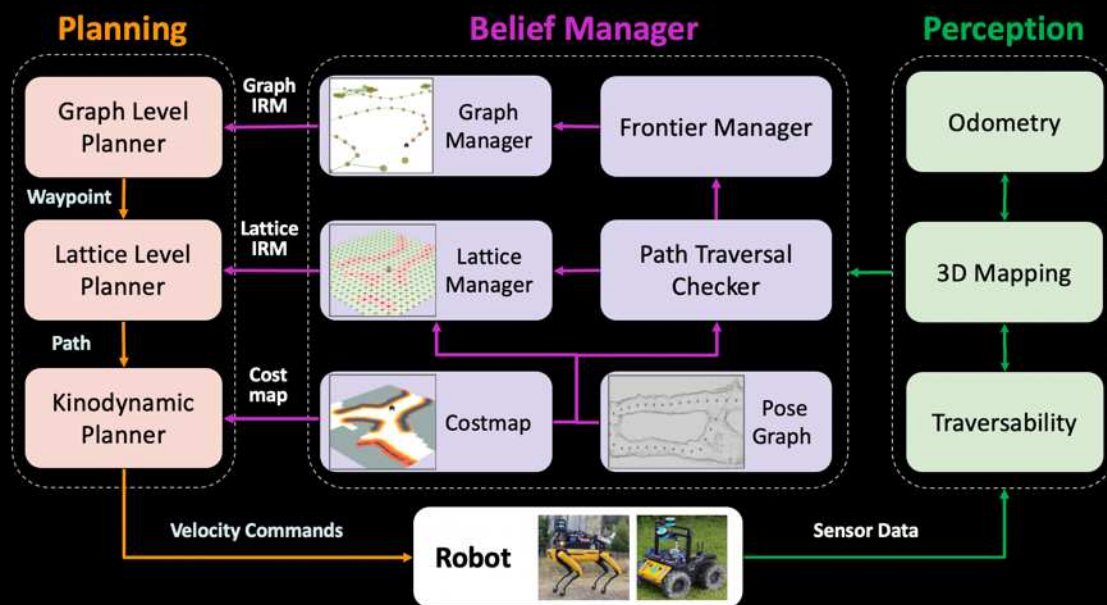
- **Longer-horizon** planning under uncertainty
 - Based on POMCP (Partially Observable Monte Carlo Planning) algorithm
- **Compact** environment representation
 - Information Roadmap (IRM) that compactly encodes high-fidelity information
- **Hierarchical** framework to scale to large environments
 - To reduce the problem complexity (planning horizon, i.e., history)

- Objective

- Maximize the **information gain per action cost** for a finite planning horizon, in a receding horizon control fashion (online replanning)

- Approach

- **Longer-horizon** planning under uncertainty
 - Based on POMCP (Partially Observable Monte Carlo Planning) algorithm
- **Compact** environment representation
 - Information Roadmap (IRM) that compactly encodes high-fidelity information
- **Hierarchical** framework to scale to large environments
 - Cascaded global-local planners for local optimality and global completeness

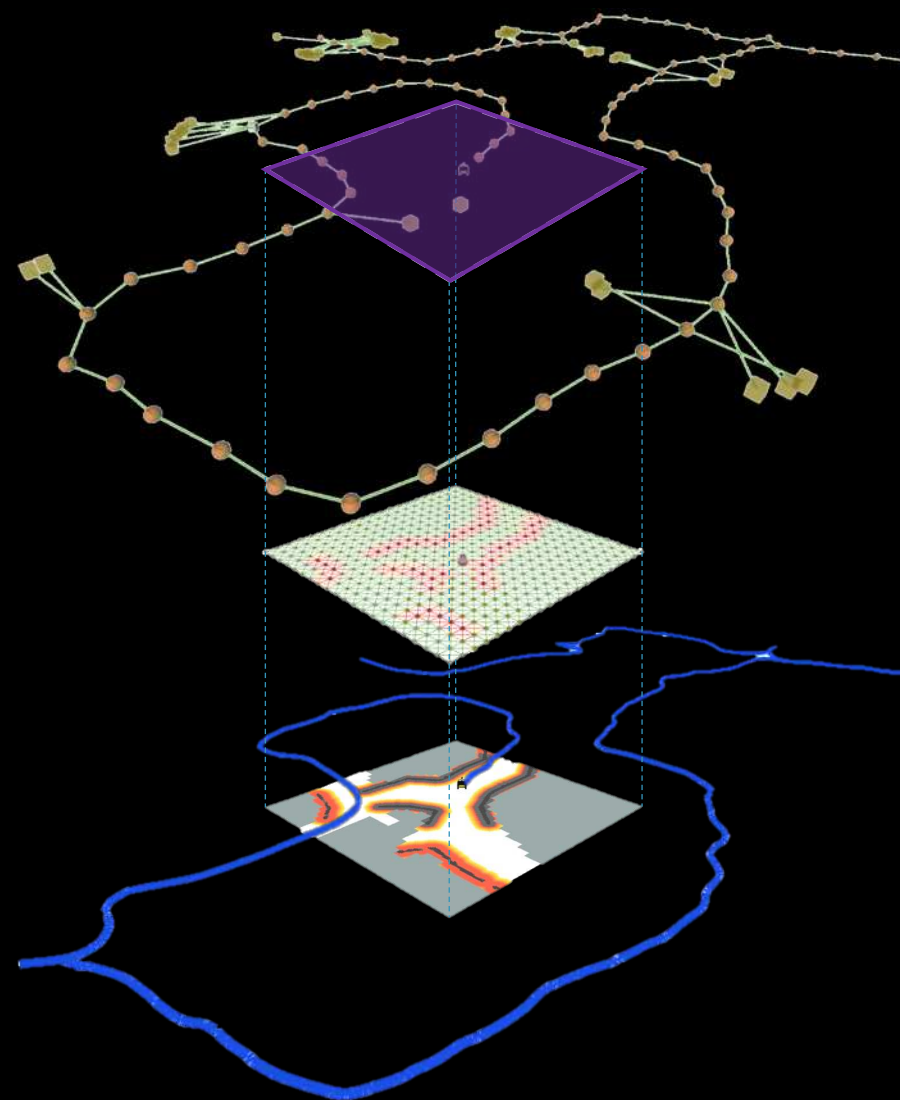
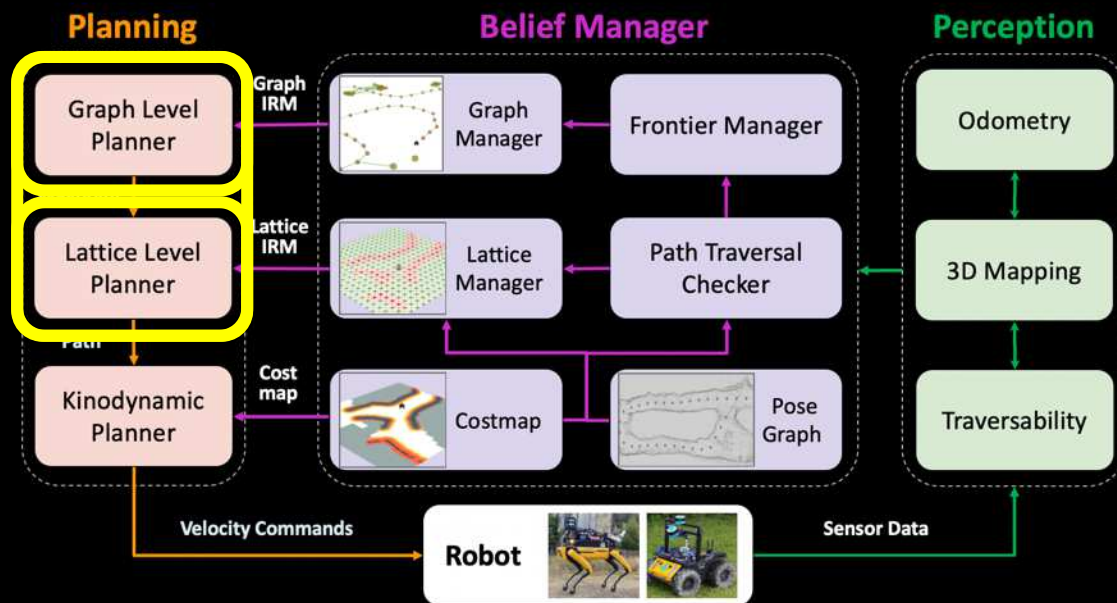


Optimal Policy:

$$\pi^*(b) = \arg \max_{\pi} \mathbb{E} \sum_{t=0}^T \gamma^t r(b_t, \pi(b_t))$$

Belief Reward

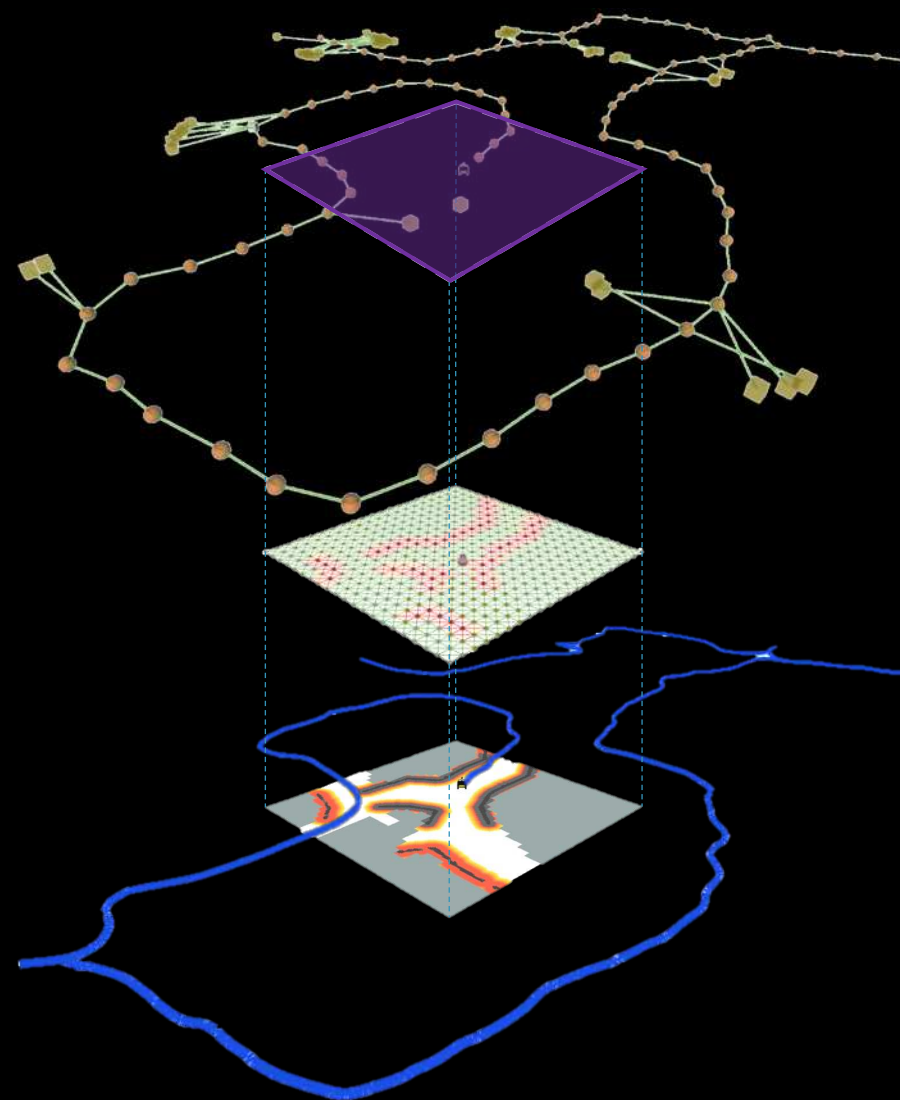
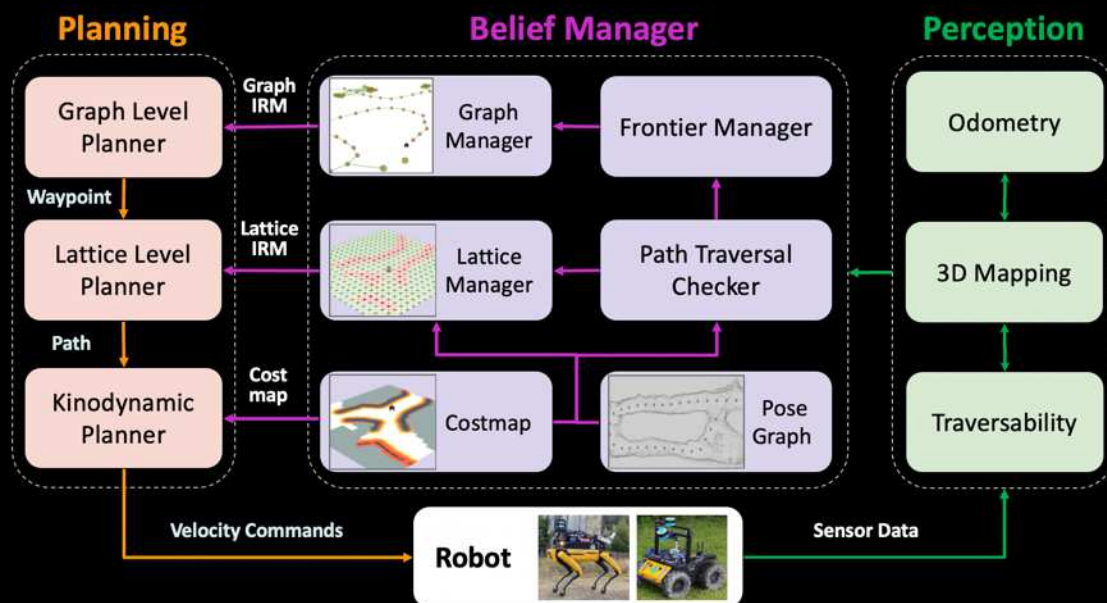
$$= \int_s R(s, a) b(s) ds$$



Graph-Level Policy: $\pi^g: \mathbb{B}^g \rightarrow \mathbb{A}^g, \mathbb{A}^g = \Theta^\ell$

Lattice-Level Policy: $\pi^\ell: \mathbb{B}^\ell \times \Theta^\ell \rightarrow \mathbb{A}^\ell$

Hierarchical Policy: $\pi(b) = \pi^\ell \left(b^\ell; \pi^g(b^g) \right)$



Optimal Hierarchical Policy:

$$\pi^*(b) = \arg \max_{\pi} \mathbb{E} \left[\sum_{t=0}^T \gamma^t r^{\ell} \left(b_t^{\ell}, \pi^{\ell} \left(b_t^{\ell}; \pi^g(b_t^g) \right) \right) \right]$$

Hierarchical Reward